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PRECISION LOCATION OF UNDERGROUND NUCLEAR  
EXPLOSIONS USING TELESEISMIC NETWORKS AND  
PREDETERMINED TRAVEL-TIME ANOMALIES

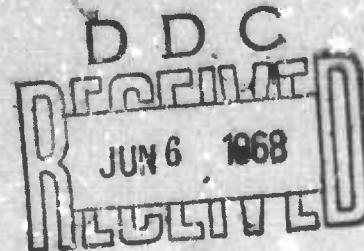
1 March 1968

Prepared for  
AIR FORCE TECHNICAL APPLICATIONS CENTER  
Washington, D.C.

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TELEDYNE, INC.

Under  
Project VELA UNIFORM

Sponsored By  
ADVANCED RESEARCH PROJECTS AGENCY  
Nuclear Test Detection Office  
ARPA Order No. 624



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PRECISION LOCATION OF UNDERGROUND NUCLEAR  
EXPLOSIONS USING TELESEISMIC NETWORKS AND  
PREDETERMINED TRAVEL-TIME ANOMALIES

SEISMIC DATA LABORATORY REPORT NO. 214

AFTAC Project No.:	VELA T/6702
Project Title:	Seismic Data Laboratory
ARPA Order No.:	624
ARPA Program Code No.:	5810
Name of Contractor:	TELEDYNE, INC.
Contract No.:	F 33657-67-C-1313
Date of Contract:	2 March 1967
Amount of Contract:	\$ 1,736,617
Contract Expiration Date:	1 March 1968
Project Manager:	William C. Dean (703) 836-7644

P. O. Box 334, Alexandria, Virginia

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This research was supported by the Advanced Research Projects Agency, Nuclear Test Detection Office, under Project VELA-UNIFORM and accomplished under the technical direction of the Air Force Technical Applications Center under Contract F 33657-67-C-1313.

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## ABSTRACT

Using a series of 19 explosions with accurately known epicenters within a  $500 \text{ km}^2$  area of the Nevada Test Site, the location effectiveness is demonstrated of applying predetermined travel-time anomalies to a limited network of teleseismic stations (comprised of between 4 and 13 stations greater than 1900 km distance). Three different travel-time tables were used: Jeffreys-Bullen; Herrin 1961 version; and Herrin, November 1966 version; and two different computer programs: LOCATE and SHIFT, the former which minimizes the sum of squares of residuals and the latter which minimizes the sum of squares of relative residuals. The mean location error for the 19 known epicenters, obtained without time anomalies, is about 26 km, and with anomalies is less than 3 km, regardless of travel-time table and regardless of program.

It is further demonstrated that neither the number of stations in the range of 3 or 4 to 13 nor the distance aperture of the network has an effect on the location of known surface events, although the azimuth aperture does.

Confidence estimates are made in three ways: the standard confidence ellipses; maximum-relative-error polygons; and standard-deviation contours about the final solution. It is shown that by applying travel-time anomalies, the standard confidence ellipses, which estimate the reliability of the data in a least squares sense, can be reduced in area by factors of 1/5 to 1/152 and still enclose the true epicenter.

A discussion is given of the stability of travel-time anomalies across the Nevada Test Site area, and of some problems involved in determining usable anomalies from earthquakes.

#### ACKNOWLEDGEMENTS

The author wishes to express his appreciation to Mr. R. O. Ahner for his assistance in seismic analysis and in program writing and modification; to Mrs. H. N. Johnson for her assistance in data reduction and to the research staff of the Seismic Data Laboratory with whom many fruitful discussions were held.

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## INTRODUCTION

It has been well-established that station time residuals and travel-time anomalies (relative residuals) are not constant but change significantly from one epicentral region to another at a rate dependent upon the region and the station or, with travel-time anomalies, upon the station-pair separation (see, for example, Chiburis and Dean, 1965; Chiburis, 1966a,b, and 1968). However, the time errors are reasonably well-behaved within each region such that they can be predicted (time-calibrated) for additional events occurring in the same region.

Any location scheme which assumes that there are no time errors other than those due to reading; or that a regional or azimuthal correction is valid for all stations in a network; or that a single-station correction for one region is adequate for another will necessarily do a poor job of locating epicenters. This report then, is primarily concerned with the teleseismic location accuracy obtainable for a particular region by using either station residuals, travel-time anomalies, or no corrections at all. Secondarily, we are concerned with the performance of two computer programs presently in use at the Seismic Data Laboratory, LOCATE and SHIFT. The principal difference between the two programs is that SHIFT minimizes in a least-squares sense the relative-anomaly errors rather than the absolute residuals.

Also investigated is a technique whereby limits of the solution are estimated either on the basis of an acceptable network standard deviation of time errors or of maximum relative-time errors at any station pair within the network.

## DEFINITIONS

### Travel-Time Anomaly.

The travel-time anomaly at station i relative to station j is defined as

$$A_{i/j} = T_i - T_j - H_i + H_j + e_i - e_j$$

where T is the observed arrival time, H is the expected travel time according to some travel-time and distance relationship, and e is a correction for ellipticity. In this report, values of H were computed from the Jeffreys-Bullen, Herrin 1961, and Herrin 1966 (November) travel-time tables. The above definition of anomaly makes no assumptions concerning crustal P-wave velocities (for station elevation corrections); it simply measures the net effect of all causes of travel-time errors at any station with respect to any arbitrary reference station.

### Residuals.

The residual at station i is

$$R_i = T_i - T_o - (H_i + d_i)$$

where  $T_o$  is event origin time and  $d_i$  is a correction both for ellipticity and for the elevation of the ith station assuming a value for the angle of incidence and for the P-wave velocity between the station and sea-level. Here, H is computed from the Herrin 1961 table which is the standard relationship in the particular version of LOCATE used for this report.

## METHOD

The program LOCATE uses the standard Geiger technique, briefly described as follows:

Let the errors which are to be minimized in a least-squares sense be defined as

$$E_i = R'_i - R_i^o + R_i$$

where  $R_i^o$  is the observed residual at station  $i$ ,  $R_i$  is the previously-determined residual for that region and  $R'_i$  is a theoretical residual such that

$$R'_i = f(\lambda, \phi, Z, T_o) = \frac{\partial H_i}{\partial \lambda} d\lambda + \frac{\partial H_i}{\partial \phi} d\phi + \frac{\partial H_i}{\partial Z} dZ + \frac{\partial H_i}{\partial T_o} dT_o$$

where  $\lambda, \phi, Z$ , and  $T_o$  are respectively the event longitude, latitude, depth, and origin time, and  $H$  is the expected travel time. As a change in origin time is the same as a change in expected travel time,

$$\frac{\partial H_i}{\partial T_o} \equiv 1.$$

Also, to compare the two programs more closely, depths were restrained throughout such that

$$\frac{\partial H_i}{\partial Z} \equiv 0.$$

Therefore

$$R'_i = \frac{\partial H_i}{\partial \lambda} d\lambda + \frac{\partial H_i}{\partial \phi} d\phi + dT_o$$

It is desired that  $\sum_{i=1}^N E_i^2$  be a minimum for  $N$  stations so

$$\frac{\partial}{\partial \mu_k} \left( \sum_{i=1}^N E_i^2 \right) \equiv 0 \quad k = 1, 2, 3$$

where  $\mu_1 = d\lambda$ ,  $\mu_2 = d\phi$ , and  $\mu_3 = dT_o$ .

This differentiation yields three normal equations which can be solved simultaneously for the errors in the event parameters  $d\lambda$ ,  $d\phi$ , and  $dT_o$ .

The program SHIFT, on the other hand, defines an anomaly error at station  $i$  relative to station  $j$  as

$$dA_{i/j} = A_{i/j} - \bar{A}_{i/j}$$

where  $\bar{A}_{i/j}$  is the previously-determined relative anomaly for that region. The relative errors to be minimized in a least-squares sense are

$$E_{i/j} = dA'_{i/j} - dA_{i/j}$$

where  $dA'_{i/j}$  are the theoretical relative anomalies such that

$$dA'_{i/j} = \frac{\partial A_{i/j}}{\partial \lambda} d\lambda + \frac{\partial A_{i/j}}{\partial \phi} d\phi + c_j$$

where  $c_j$  is the average error, or bias, at the reference station  $j$ .

It is desired to minimize  $\sum_{i=1}^N E_{i/j}^2$ , so, as before,

$$\frac{\partial}{\partial \mu_k} \left( \sum_{i=1}^N E_{i/j}^2 \right) \equiv 0 \quad k = 1, 2, 3$$

where  $\mu_1 = d\lambda$ ,  $\mu_2 = d\phi$ , and  $\mu_3 = c_j$ . Solving these three normal equations yields the event-parameter corrections  $d\lambda$ ,  $d\phi$ , and the reference-station bias  $c_j$ .

## DESCRIPTION OF THE DATA

All of the time data used in this study were derived from nuclear explosions detonated within the Nevada Test Site (NTS) area (Figure 1). Table I lists the event information. The events selected as references from which residuals and anomalies were measured are Bilby or Tan, the series of Bronze, Corduroy, and Buff, or the series of Nash, Agile, and Commodore. These several events were necessary so that residuals or anomalies could be obtained for an adequate number of recording stations. Table II lists the station anomalies, relative to RK-ON, computed from the three travel-time tables, in addition to the residuals computed from the Herrin/1961 table. A key letter, indicating which series of events were used as references in determining the corrections, is given in the last column.

## PROCEDURE

Station records of all explosions were routinely read, with the identical networks of stations and arrival times being used for both programs. Depths for all events were restrained to the surface. Raw arrival times (Table III) were input to SHIFT and used within the program in conjunction with the appropriate input travel-time anomalies. For LOCATE, station arrival times were corrected by the residuals prior to their input into the program. These input times for LOCATE are obtained by subtracting the residuals in Table II from the arrival times input to SHIFT (Table III).

A description on the use of program SHIFT is given in Appendix I.

## RESULTS OF LOCATION

### Without Time Corrections.

Table IV lists the location errors, in kilometers, when neither residuals nor anomalies are applied to the event arrival times (the times have been corrected, however, for station elevation and ellipticity). The mean error for 17 events using LOCATE is seen to be 25.8 km and using SHIFT (Herrin 61) 25.9 km; the results from the two programs using the same travel-time table are essentially in agreement. With the J-B and Herrin 66 tables, the results using SHIFT are 27.7 km and 20.8 km respectively. It is not known at this time if the apparently better results obtained by using the Herrin 66 table are significant or not. It would be necessary to locate a larger sample of events to determine the effectiveness of this table for the networks used in this study and for the NTS area.

The resultant average errors of about 26 km demonstrate the best one could hope to do when no allowances are made for residuals (LOCATE) or anomalies (SHIFT).

### With Time Corrections.

When the residuals or anomalies are determined for a particular region, such as the Nevada Test Site, and for each station which is to be used in subsequent location networks, the resultant location errors can be reduced by at least an order of magnitude. Table V lists the location errors, in kilometers, when either residuals (LOCATE) or relative anomalies (SHIFT) are applied to the event arrival times. The mean error for 17 events using LOCATE is now seen to be 2.98 km and using SHIFT (Herrin 61) 2.86 km. Again, the mean values from either program are in agreement, although individual event locations differ by as much as 4.1 km between the two methods. This difference implies, of course, that the programs are computing in significantly different ways but yield about the

same answer on the average. Using the J-B and Herrin 66 tables, the SHIFT mean errors are 2.92 km and 2.59 km respectively which suggests that when anomalies are applied, any reasonable travel-time table is adequate.

#### Actual Time Errors.

Although the events used for locating in this study were of a reasonable size which made film reading straightforward, time errors at the stations due to misreading, imperfectly-known anomalies, etc., were far from negligible. Actual time errors at station  $i$  relative to mean zero for the  $j$ th event are shown in Table VI, computed as

$$E_{i/o}^j = A_{i/r}^j - \bar{A}_{i/r} - \bar{E}^j$$

where  $A^j$  is the anomaly for the  $j$ th event,  $\bar{A}$  is the previously-measured input anomaly for the region of the  $j$ th event, and  $\bar{E}^j$  is the mean error for the  $j$ th event. Also included in this table are the errors for  $\bar{A} = 0$  (which assumes that there are no anomalies). Event standard deviations are given at the far right of the table. As shown in the table, the actual standard deviations when anomalies are not used average about 0.86 sec, with errors as high as 1.9 sec. When allowances are made for the anomalies, the actual standard deviations average about 0.16 sec, a reasonable figure for reading error alone, although individual errors are as high as 0.8 sec. The point to be made is that the set of events used for testing the validity of applying anomalies is not unusual, because reading or other time errors are not particularly small, some even being quite large.

A similar study is presently being undertaken in which the set is composed of low-yield events, at least in a signal-to-noise ratio sense. However, selecting this set so that the events are recorded at a significantly smaller size than those used in this study is difficult because several of the events listed in Table I have quite low recorded signal amplitudes due to

deliberately-reduced station magnifications. The computed magnitudes, where known, are given in the following list for all 17 events:

<u>Event</u>	<u>Magnitude</u>
Fore	5.2
Buff	5.1
Chartreuse	5.2
Auk	4.9
Piledriver	5.5
Bourbon	5.1
Dumont	5.5
Agile	Not Calculated
Nash	5.2
Commodore	5.7
Greeley	6.3
Klickitat	5.0
Turf	4.9
Piranha	Not Calculated
Scotch	5.5
Corduroy	5.6
Bronze	5.2

#### Film Reading of First Extrema.

One of the methods used in this study, which can substantially reduce errors, is to permit readings of times other than those for first motion. Regardless of event size, first motion is usually difficult to read consistently to within 0.1 sec. However, by reading the arrival time of the first extremum (peak) rather than first motion at all stations, timing is considerably more precise. Therefore, most of the events in this study were read for this phase, although a few were so large the traces went off scale forcing the reading of first motion. The excellent location results show that, by reading either

first extrema or first motions, one does not lose, and may actually gain, network capability.

#### Number of Stations.

The number of stations of which the networks were comprised for locating the set of 17 NTS events varied between 4 and 13. Figure 2 shows the location errors, in kilometers, as a function of the number of stations for SHIFT-H61, both with and without anomalies. The results without anomalies show no dependence on the number of stations, and those with anomalies are too few to derive a clear relation. This result suggests that it is not necessary to require a large number of stations for locating accurately if proper allowances are made for the station travel-time anomalies.

#### Effect of Aperture.

Figure 3 shows the location errors in kilometers, of the 17 events as a function of azimuth aperture which is calculated as

$$d\theta_i = |\theta_{\max} - \theta_{\min}|$$

where  $\theta$  is epicenter-to-station azimuth. Included on the figure are the results obtained both with and without travel-time anomalies. The errors appear to have a fairly certain dependence on the aperture of the azimuth, especially for the results obtained with anomalies. The actual dependence is hard to ascertain due to lack of data points at apertures less than  $80^\circ$ . This effect is presently being investigated.

The effect of distance aperture on the location error is negligible, as seen in Figure 4, both with and without anomalies.

## CONFIDENCE REGIONS

Confidence regions were computed within SHIFT in the usual manner (e.g., Flinn, 1965) for all events, both with and without travel-time anomalies. Table VII lists, by event, the areas of the computed ellipses and the factors of reduction in ellipse areas when anomalies are used. Without anomalies, two events (Fore and Chartreuse) were not within the ellipse at the 95% level. With anomalies, all events were within the ellipse and the ellipses were reduced in area by factors of 5 to 152, with an average reduction of about 45. This reduction in ellipse area points out the necessity and value of travel-time anomalies.

### Maximum Relative Errors.

When computations are made for confidence regions, the variances, or standard deviations, of the final solutions are used in the estimates. These variances are merely indicators of the goodness-of-fit in the least-squares procedures and if the number of degrees of freedom is small, the variances and, hence, the confidence-region estimates become unrealistic. (In fact, when as few as three stations are used, no estimate at all can be made of the location error, as the solution is unique). For example, the events Bourbon and Scotch have respectively actual standard deviations of 0.08 and 0.23 sec (Table VI, with travel-time anomalies) and  $N=4$  and 5. The ellipse area for Bourbon is  $7118 \text{ km}^2$  and the location error is 1.9 km, while for Scotch the area is  $2309 \text{ km}^2$  and the error is 5.0 km. Both ellipse areas are abnormally high due strictly to the small number of stations used in locating, although the time data from these stations and the network apertures are as good as the data and apertures from the other networks. Therefore, when few stations are used in locating events, it may be of value to estimate the location error by considering the maximum permissible relative time error at any station-pair in the network rather than a statistical estimate using the variance of the

goodness-of-fit. In this way fairly good estimates of location error can be made even when the number of stations is three.

Figure 5 shows the maximum relative errors (X100) using Bourbon data for a grid of locations about the final SHIFT solution. This grid is computed as an option within SHIFT by subroutine SIGRID. The scale in latitude is 1.0 km and in longitude 2.4 km between center points of each number field of 4 spaces. With this proportion, the scale is equal in all directions. The errors at each grid point are computed as

$$E_{i/r} = T_i - H_i - T_r + H_r - \bar{A}_{i/r} \quad i = 1, 2, \dots, N$$

where all quantities have previously been defined. The maximum relative error, regardless of reference station bias, from this set of  $N$  errors is then

$$E_{\max} = (E_{i/r})_{\max} - (E_{i/r})_{\min}$$

at each grid point.

The dashed-line polygon in Figure 5 is the contour of the (known) maximum relative error (0.18 sec) at the true epicenter marked at X. The circle enclosing the value 0.11 is the maximum relative error as a result of the final solution obtained with SHIFT-H61. The solid-line polygon is the contour of the maximum relative error estimated to be 0.4 sec (0.3 sec higher than that at the final solution) for this event. A seismic analyst can usually estimate his reading errors quite well, and if the effects of previously-determined relative travel-time anomalies are removed (they must be determined, not estimated), the estimates can be used to contour the maximum relative error. A relative error estimate of 0.4 sec is liberal for an event of the size of Bourbon, but it is an example of the manner of using any estimate. The approximate area of the estimated polygon is less than  $340 \text{ km}^2$ . The area of the corresponding ellipse previously computed (Table VII) is  $7118 \text{ km}^2$ .

Figure 6 shows similar results for Scotch. Again, an error estimate 0.3 sec higher than that obtained from the final solution (0.5 sec) is used to contour 0.8 sec. The approximate area of the estimated polygon is less than  $400 \text{ km}^2$  compared to  $2309 \text{ km}^2$  of the standard confidence ellipse.

Although Scotch was a large event and the reading errors were expected to be small, an actual maximum relative error of 0.7 sec is observed. The reason for this appears to be the slight instability of the relative anomalies for the Nevada Test Site. Scotch was located about 40 km to the northwest of Bourbon, and hence about 40 km from the area of the reference events used for determining the anomalies. For networks the size of that used for Scotch ( $80^\circ$  azimuth aperture), it is not surprising that the anomalies are not constant.

Figures 7 and 8 show the maximum-relative-error grid for a network of three stations obtained by deleting SV3QB from Bourbon and SV3QB and PG-BC from Scotch. For three stations, it is impossible to estimate the location errors by the usual means as the statistical degrees of freedom are reduced by zero. However, with maximum relative errors, reliable estimates can be made. Again, for Bourbon, which is located within the area of the reference events, an error estimate of 0.4 sec is contoured (Figure 7), and for Scotch, 40 km from the area of the reference events, an error estimate of 0.7 sec is used (Figure 8). The approximate areas of the polygons for Bourbon and Scotch are  $350 \text{ km}^2$  and  $630 \text{ km}^2$  respectively. Therefore, by using estimates of the maximum relative errors, reasonable estimates of location errors can be made when the usual statistical confidence estimates are impossible to compute.

#### Standard Deviation Ellipses.

Subroutine SIGRID also produces an output of network standard deviations, in addition to the maximum relative errors, for a similar set of grid positions.

Figure 9 shows the zero-mean standard deviation output for Bourbon, with anomalies. The values (X100) at each grid point  $k$  are computed as

$$\sigma_k = \left[ \frac{\sum_{i=1}^N (A_{k/r}^k - \bar{A}_{i/r} - E_r)^2}{N-2} \right]^{1/2}$$

where  $A^k$  is the computed anomaly at  $k$ ,  $\bar{A}$  is the predetermined anomaly, and  $E_r$  is the average error, or bias, at the reference station  $r$ . This output actually shows how the least-squares procedure within SHIFT minimizes the sum of squares (or standard deviation) of errors. The dashed-line ellipse is the contour of the known standard deviation of time errors for Bourbon. The standard confidence ellipse would be the same as that shown in Figure 5.

Therefore, by using the parameters of the computed confidence ellipse, the maximum-relative-error SIGRID, and the standard-deviation SIGRID, the utmost information is being elicited from the time data.

## IMPROVING THE ESTIMATES OF TRAVEL-TIME ANOMALIES

The computed travel-time anomalies used in this report were derived from a few selected reference events to show the tele-seismic network capability for locating events in the Nevada Test Site area. It is known that the anomalies, for some stations and for this area, are not constant but exhibit some variability at different positions within the area shown in Figure 1. A much better estimate of the true travel-time anomaly for the NTS area can be obtained by averaging the anomalies at each station for all 19 events in this study. These average anomalies, given in Table VIII using the Herrin 66 travel-time table, should be used for locating new events in the NTS area when a network is comprised of any of the listed stations. Table VIII is a computer output of program TIMEANOM; the key circled numbers shown are described in Appendix II. Tables IX and X list the station anomalies for the Jeffreys-Bullen and Herrin 61 travel-time tables respectively.

### Other Variables for Computing Anomalies.

All of the station anomalies in this report were, of course, computed from nuclear explosions, the positions of which are extremely well known in the three dimensions of latitude, longitude, and depth. Past studies (Chiburis and Dean, ibid, and Chiburis, ibid) and studies currently in progress show that earthquakes are not quite so well behaved as explosions for several reasons. First, simple epicenter mislocations can yield errors in anomaly estimates as high as two or three seconds for large networks. The mislocation effect is described in Chiburis and Dean, ibid, p. 31 ff. Second, and perhaps more serious, depth effects must be taken into account. There are no reasons to suppose that the anomalies measured for shallow events in a particular region may not change significantly for deep events in the same region. Added to these effects are the problems of depth errors in the located events.

One of the current studies at the SDL has shown conclusively that for a North American Network of 21 LRSN stations, the station anomalies computed from the explosion LONG SHOT on Amchitka Island are not in as good agreement as expected with the anomalies computed from earthquakes in the large region of the Rat-Andreanof Is. at depths of 15 km to 300 km (discrepancies as large as 1.5-2.0 sec). At least part of the difficulty seems to be associated with hypocenter mislocation, because when the set of earthquakes was relocated by using the LONG SHOT anomalies, most of the epicenters shifted an average of about 50 km after which, in general, the serious time errors were significantly reduced. Certainly the LONG SHOT anomalies are not valid for all of the events in the set because the linear size of the region is about 800 km or more, much too large for a single set of anomalies to exist throughout, but they should be valid for events very near LONG SHOT and these still shift 40-50 km. Figure 10 shows the directions of the shifts, indicating that large bias effects may exist for the Andreanof locations as reported by the U.S.C. and G.S. This study is continuing.

#### Anomalies vs. Residuals.

The preceding results indicate that comparable location accuracies for explosions are obtained when using either relative anomalies or absolute residuals. The question may arise then as to what differences, if any, one may expect when trying to determine a true, physical time correction for an earthquake region. Some of the possible differences are as follows:

1. Origin time errors (serious for some earthquakes) play no role when relative times are used; time bias is removed, so that events in the same region may be compared with one another in determining the actual anomaly.
2. First extrema as well as first motions can be read to determine consistent corrections from different events in the same regions. This is important if one has only a few small

events for time calibrating.

3. When using residuals, the defined regions can be greater in number and smaller in area than when using anomalies, and the problem of time calibrating the earth becomes more difficult. A simple case qualitatively illustrates this point where Figure 11 shows a geologically faulted area composed of two different crustal media I and II with average P-wave velocities of  $V_1$  and  $V_2$ . The network stations are labeled 1, 2, and 3 each having a residual from an event in medium I computed as  $R_1^I$ ,  $R_2^I$ , and  $R_3^I$  and anomalies relative to station 1 computed as 0,  $A_{2/1}^I$ ,  $A_{3/1}^I$ . For an event occurring in region II, however, each of the residuals will have a bias added to them due to the different velocity in the vicinity of the source in this region; the anomalies, however, would be expected to change only slightly because the hypocenter-station raypath differences between the two (teleseismic) sources would be negligible. Hence, for each of the stations there would have to be two residual regions but only one anomaly region. Of course, for stations situated on the side of region II and opposite to the reference station, there would then be two regions for both residuals and anomalies. However, at least some reduction in the time-calibration regionalization should be realized when relative anomalies are used.

## CONCLUSIONS

The following conclusions are made concerning the results obtained by analyzing 19 nuclear explosions detonated within a  $2500 \text{ km}^2$  area of the Nevada Test Site. Seismograms were used from teleseismic stations forming networks of four to thirteen stations.

1. For limited-station teleseismic networks, the location capability, for 17 events occurring in the Nevada Test Site and without applying previously-determined residuals or travel-time anomalies, is about 26 km, regardless of the program used (LOCATE or SHIFT) and regardless of the travel-time table employed (Herrin 61, Herrin 66, or JB tables).
2. The location capability for the same networks and time data is better than 3 km when previously-determined residuals or travel-time anomalies are applied, regardless of program and travel-time table. That is to say, when these travel-time curves can equivalently be replaced by observed travel times from each station to an accurately known explosion point, the particular curve selected as a standard is essentially irrelevant and epicenters of other nearby explosions can be located within the indicated error limit.
3. The effect of the number of stations in the range from 3 or 4 to 13 on the location capability of the networks used in the study is negligible, either with or without travel-time anomalies.
4. The effect of the range of epicentral distances (distance aperture) on the capability of locating known surface events with the same networks is negligible, either with or without travel-time anomalies.
5. The azimuth aperture has an observable effect on the location capability of the networks where, for apertures down to  $60^\circ$ , the location errors without travel-time anomalies are as high as 60 km, and with anomalies 6 km.

6. The areas of computed confidence ellipses can be reduced by factors of 1/5 to 1/152 with the application of travel-time anomalies and still enclose the event locations which, for this study, are accurately known, as are the explosions used to calibrate the particular epicenter-station paths used in the study. In effect, these reduced ellipses represent uncertainties in the position of the epicenters relative to the positions of the calibration events.

7. With as few as 4 or 5 stations, computed confidence ellipses with anomalies are unrealistically large due to the small number of statistical degrees of freedom. (The Bourbon explosion, with 4 stations, has an ellipse  $7,000 \text{ km}^2$  and a location error of 1.9 km). Estimates of the maximum relative time errors for a network of stations permits more realistic confidence limits to be set on the solution. In this way, Bourbon's confidence polygon is about  $340 \text{ km}^2$ . Also, as few as three stations can be used to obtain the confidence limits when maximum relative errors are estimated.

8. Travel-time anomalies, computed from a few selected events, show some variability across the NTS area in Figure 1, but the effect on relative location accuracy is small. The size of the area in Figure 1 is about  $2500 \text{ km}^2$ , implying that fairly large regions are involved for determining reasonably constant anomalies, so the problem of time calibrating a stationary network for any region of the earth from which either explosions at accurately known locations or earthquakes (bias effects not included) are recorded is not formidable. In either case, if accurate locations are not independently known, the epicentral solutions with anomalies included reduce to locations relative to one another with the actual error of the whole set remaining unknown.

9. Relative anomalies for earthquake regions can be simpler to assess than absolute residuals because (a) origin time errors are eliminated; (b) first-extremum anomalies and first motion anomalies from several events can be combined (except when obvious period differences are noted); and (c) depending on the region and on the network geometry, the regions for which the calibrations need to be determined can be fewer in number and larger in area.

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TABLE I  
Event Information

<u>Event</u>	<u>Date</u>	<u>Origin Time</u>	<u>Latitude</u>	<u>Longitude</u>	<u>No. of Stations</u>
AUK	02 Oct 64	20 03 00.0	37.078N	116.009W	6
FORE	16 Jan 64	16 00 00.1	.142	.049	12
DUMONT	19 May 66	13 56 28.1	.111	.058	8
CHARTREUSE	06 May 66	15 00 00.1	.348	.322	7
TURF	24 Apr 64	20 10 00.2	.150	.055	10
KLICKITAT	20 Feb 64	15 30 00.1	.151	.040	9
PILEDRIVER	02 Jun 66	15 30 00.1	.227	.055	7
BRONZE	23 Jul 65	17 00 00.0	.098	.033	9
CORDUROY	03 Dec 65	15 13 02.1	.165	.052	9
BUFF	16 Dec 65	19 15 00.0	.073	.029	8
GREELEY	20 Dec 66	15 30 00.1	.302	.408	13
PIRANHA	13 May 66	13 30 00.0	.087	.034	9
NASH	19 Jan 67	16 45 00.1	.144	.136	7
BOURBON	20 Jan 67	17 40 04.1	.100	.004	4
AGILE	23 Feb 67	18 50 00.0	.127	.067	7
COMMODORE	20 May 67	15 00 00.2	.130	.064	5
SCOTCH	23 May 67	14 00 00.0	.275	.370	5
BILBY	13 Sep 63	17 00 00.1	.061	.022	14
TAN	03 Jan 66	14 00 00.0	.068	.035	8

TABLE II  
Station Anomalies and Residuals

<u>Station</u>	Anomaly Relative to RK-ON			<u>Residual</u>	<u>Event Key*</u>
	<u>Herrin 61</u>	<u>Herrin 66</u>	<u>JB</u>	<u>Herrin 61</u>	
AD-IS	+1.11 sec	+0.04 sec	+0.57 sec	-1.1 sec	B
AX2AL	+2.21	+1.61	+2.23	+0.2	A
BE-FL	+1.11	+1.11	+1.15	-0.9	A
BL-WV	+0.66	+0.61	+0.84	-1.6	A
BR-PA	+0.74	+0.76	+0.84	-1.5	A
CPO08	+1.51	+0.86	+1.55	-0.6	A
DH-NY	+0.09	+0.03	+0.11	-2.2	A
EB-MT	-0.84	+0.08	-0.68	-3.1	A
EN-MO	+0.08	+0.54	+0.04	-2.0	B
EU-AL	+2.66	+1.94	+2.71	+0.6	A
GG-GR	+1.06	+1.00	+2.07	-1.2	A
HN-ME	+1.11	+0.55	+0.97	-1.0	A
KC-MO	+1.71	+1.81	+1.45	-0.7	D
LV-LA	+1.51	+1.90	+1.48	-0.6	A
LZ-BV	+0.90	+0.94	+1.19	-1.9	A
NP-NT	+1.88	+0.96	+1.52	-0.2	A
OO-NW	-0.01	+0.01	+0.52	-2.4	A
PG-BC	+2.66	+2.94	+2.57	+0.3	C
PZ-PR	+2.28	+1.17	+1.53	+0.1	A
SI-BC	+1.87	+2.81	+2.05	-0.2	A
SV2QB	+0.35	-0.37	+0.16	-2.0	A**
SV3QB	+0.35	-0.37	+0.16	-2.0	A
WH2YK	+1.36	+1.13	+1.50	-0.8	C
RK-ON	0	0	0	-2.1	A

\*A = Bilby-Tan

B = Bronze-Corduroy-Buff

C = Nash-Agile-Commodore

D = Gree ey

\*\*Set equal to anomaly for SV3QB determined from A

TABLE III - Arrival Time Data

Event Reference	Hour	Billy 17	Tan 14	Auk 20	Fore 16	Dumont 14	Chartreuse 15	Turf 20	Klickitat 15	Piledriver 15	Bronze 17
STATION											
AD-IS											
AX2AL		0525.4				0153.6	0527.7				
BE-FL		0607.2				0235.6		1548.9			
BL-WW		0548.4				0548.9					
BR-PA		0603.0				0603.3					
CPO		0521.6	0521.7	0821.9	0521.7	0149.9	0523.7	1522.1	3603.1	3603.1	
DH-NY		0626.7				0926.8			1627.3	3521.8	0521.7
EB-MT		0426.8				0426.4			1426.6	3626.7	0626.7
EN-MO											
EU-AL		0512.2				0512.6					
GG-GR		1221.9				1221.0			2222.7	4221.2	
HN-ME		0707.9	0708.1	1007.9	0707.8	0336.1	0708.8	1707.9	3707.9	3707.5	0707.9
KC-MO											
LV-LA		0441.1				0441.6					
LZ-BV		1111.0				1411.10			2111.6		
NP-NT		0731.5	0731.1	1031.3	0730.8	0358.7	0729.0	1730.6	3730.6	3729.9	0730.8
OO-NW		1131.8				1131.5					
PG-BC											
PZ-PR		0837.0				0838.1					
SI-BC		0428.5				0055.9	0424.4			3428.7	
SV2QB											0716.0
SV3QB		0716.5				0344.3	0716.2				
WH2YK											
RK-ON		0445.8	0445.9	0745.8	0445.4	0113.6	0445.2	1445.4	3445.1	3444.7	0445.5
	13	7	6	11	7		6	9	8	6	8

TABLE III (Continued)

Hour Reference	Hour	Corduroy	Buff	Greeley	Bourbon	Agile	Nash	Commodore	Piranha	Scotch
STATION		15	19	15	17	18	16	15	13	14
AD-IS		2113.9	2312.5							
AX2AL				3528.1					3525.7	
BE-FL		1909.5		3610.0					3607.6	
BL-WV										
BR-PA										
CPO		1823.8	2021.8	3524.2						
DH-NY					5522.0	5022.7			3521.9	
EB-MT										
EN-MO		1740.2	1938.0							
EU-AL					3515.0					
GG-GR					4221.2					
HN-ME		2009.6	2207.8	3709.0	4711.4	5708.1	5208.8	0708.1	3708.3	0709.2
KC-MO					3401.7					
LV-LA										
LZ-BV										
NP-NT		2032.5	2231.2	3729.2	4734.6	5730.8	5231.0		3731.3	
OO-NW					4130.7					
PG-BC					3403.6					
PZ-FR						5406.5	4906.7	0406.4	3407.5	0404.3
SI-BC		1729.5	1928.4						3428.4	
SV2QB										
SV3QB		2018.0	2216.5	3716.3	4719.9	5716.5	5216.7	0716.3	3716.5	0716.5
WH2YK					3536.8	5539.8	5039.4	0539.4		0537.7
RK-ON		1747.1	1945.7	3445.8	4449.1	5445.7	4946.2	0445.7	3445.8	0446.0
	3	7	12	3		6	6	4	8	4

TABLE IV  
Location Errors when Neither Residuals  
nor Anomalies are Used

<u>EVENT</u>	<u>NO. OF STATIONS</u>	<u>LOCATE-H61</u>	<u>SHIFT-H61</u>	<u>SHIFT-H66</u>	<u>SHIFT-JB</u>
Buff	8	9.1	8.6	10.9	5.7
Turf	10	14.5	15.0	8.0	18.3
Corduroy	9	11.6	10.8	5.2	6.3
Nash	7	17.2	18.1	13.4	23.1
Bourbon	4	48.0	49.0	17.6	42.6
Piledriver	7	39.6	39.3	37.7	41.9
Bronze	9	13.3	13.1	8.5	12.3
Auk	6	7.1	7.2	3.7	4.8
Piranha	9	41.1	40.4	45.5	46.3
Fore	12	38.1	38.5	20.0	36.6
Greeley	13	10.1	12.3	11.6	25.5
Dumont	8	43.0	43.6	44.9	47.1
Chartreuse	7	60.0	59.8	48.5	62.8
Commodore	5	11.1	10.9	23.3	12.6
Agile	7	23.4	23.0	15.0	27.7
Scotch	5	17.4	17.8	26.6	19.6
Klickitat	9	33.5	33.7	12.8	38.2
$\Sigma$		438.1	441.1	353.2	471.4
Mean error, km		25.8	25.9	20.8	27.7

TABLE V  
 Location Errors When Residuals  
 or Anomalies are Used

<u>EVENT</u>	<u>NO. OF STATIONS</u>	<u>LOCATE-H61</u>	<u>SHIFT-H61</u>	<u>SHIFT-H65</u>	<u>SHIFT-JB</u>
Buff	8	2.4	0.1	0.3	0.2
Turf	10	0.5	0.1	0.2	0.1
Corduroy	9	1.6	1.0	0.9	0.9
Nash	7	5.8	1.7	1.4	1.8
Bourbon	4	2.8	1.9	2.1	1.9
Piledriver	7	2.0	2.9	1.5	3.3
Bronze	9	4.2	3.0	2.7	2.9
Auk	6	3.1	3.0	2.9	3.0
Piranha	9	0.8	3.1	2.7	3.2
Fore	12	3.3	3.2	2.9	3.1
Greeley	13	1.0	3.3	3.8	3.3
Dumont	8	2.2	3.4	3.0	3.4
Chartreuse	7	5.7	3.6	3.7	4.2
Commodore	5	4.1	3.7	3.2	3.3
Agile	7	1.5	3.9	2.4	3.1
Scotch	5	3.6	5.0	4.8	5.7
Klickitat	9	6.1	6.0	5.6	6.2
$\Sigma$		50.7	48.9	44.1	49.6
Mean error, km		2.98	2.86	2.59	2.92

TABLE VI

Actual Time Errors (Zero Mean) and Standard Deviations for all Events,  
With and Without Travel-Time Anomalies

<u>Event</u>		<u>Time Errors</u>	$\sigma$
Buff	a*	+0.15 +0.62 -0.96 -0.04 +0.94 +0.87 -0.59 -0.99	0.784
	b*	+0.01 +0.15 -0.11 -0.16 -0.02 +0.04 +0.11 -0.03	0.102
Turf	a	+0.03 +0.08 +0.78 -0.30 -1.48 +1.17 +0.24 -0.56 +0.94 -0.89	0.837
	b	+0.05 +0.02 -0.03 +0.29 -0.01 +0.79 -0.25 -0.27 -0.34 -0.25	0.336
Corduroy	a	+0.11 +0.22 +0.50 -0.90 -0.00 +0.89 +0.98 -0.68 -1.13	0.758
	b	-0.05 +0.11 +0.03 -0.01 -0.14 +0.01 +0.17 +0.00 -0.03	0.074
Agile	a	+0.23 -0.09 +0.58 +1.05 +0.21 -0.81 -1.18	0.777
	b	+0.00 +0.03 -0.09 -0.31 +0.17 +0.13 +0.06	0.160
Commodore	a	+0.25 +1.25 +0.10 -0.72 -0.89	0.858
	b	+0.15 -0.28 -0.11 +0.05 +0.19	0.194
Bourbon	a	+0.29 +0.98 -0.44 -0.82	0.800
	b	+0.00 -0.10 +0.88 +0.01	0.076
Piranha	a	+0.94 -0.10 +0.06 -0.20 +0.47 +1.14 +0.35 -1.17 -1.49	0.878
	b	+0.14 +0.18 -0.04 +0.11 -0.07 -0.04 -0.06 -0.10 -0.11	0.110
Greeley	a	+1.06 +0.09 +0.31 +1.35 -0.49 -0.21 +0.14 +0.76 -1.64 +1.48 -0.07 -1.39 -1.37	1.026
	b	+0.17 +0.27 +0.14 -0.01 -0.18 +0.05 -0.21 +0.18 -0.25 +0.21 -0.02 -0.32 -0.03	0.192
Nash	a	+0.26 +0.03 +0.68 +1.38 -0.06 -1.09 -1.19	0.917
	b	-0.04 +0.17 +0.03 +0.04 -0.13 -0.14 +0.08	0.111

TABLE VI (Continued)

<u>Event</u>	<u>Time Errors</u>	<u><math>\sigma</math></u>
Piledriver	a +0.76 -0.08 +0.18 -0.33 +0.43 +0.49 -1.45	0.735
	b -0.04 +0.20 +0.03 -0.03 -0.11 +0.02 -0.07	0.101
Bronze	a +0.26 -0.15 +0.05 +0.74 -0.72 +0.36 +0.97 -0.66 -0.85	0.650
	b -0.09 +0.02 +0.15 +0.10 +0.08 +0.08 -0.16 -0.00 -0.17	0.116
Dumont	a +1.06 +0.11 +0.26 -0.08 +0.43 +0.54 -0.99 -1.34	0.797
	b +0.07 +0.20 +0.02 +0.08 -0.25 -0.01 -0.06 -0.05	0.132
Chartreuse	a +1.05 +0.25 +0.08 +0.63 +0.42 -1.02 -1.40	0.891
	b +0.09 +0.00 +0.21 +0.02 -0.11 -0.07 -0.14	0.123
Auk	a +0.90 -0.73 +0.17 -0.58 +1.00 -0.77	0.812
	b +0.23 +0.20 -0.10 -0.13 -0.06 +0.04	0.131
Fore	a* -0.14 -0.19 +0.25 -1.90 +1.69 -0.74 -0.05 +0.51 +0.88 -1.13 +1.93 -1.11	1.144
	b +0.29 +0.16 -0.18 -0.02 +0.04 -0.72 -0.13 +0.01 -0.34 -0.06 +0.65 +0.00	0.318
Scotch	a +0.10 +1.74 +0.50 -1.17 -1.16	1.225
	b +0.07 +0.18 +0.26 -0.38 -0.12	0.256
Klickitat	a +0.07 +0.12 +0.86 -0.57 -1.24 -0.06 +0.51 +1.18 -0.86	0.792
	b +0.12 +0.09 +0.05 +0.06 +0.26 -0.41 +0.11 -0.07 -0.19	0.200

\*a Errors computed without travel-time anomalies; Herrin 61 table

\*b Errors computed with travel-time anomalies; Herrin 61 table.

TABLE VII

Confidence Regions  
SHIFT-61

<u>Event</u>	<u>Ellipse Areas km<sup>2</sup></u>		<u>Improvement Factor, a/b</u>	<u>No. of Stations</u>
	<u>Without anomalies</u> <u>a</u>	<u>With anomalies</u> <u>b</u>		
Fore	2059*	348	6	12
Buff	2402	50	48	8
Chartreuse	1041*	131	8	7
Auk	10035	66	152	6
Bourbon	206088	7118	29	4
Dumont	1495	52	29	8
Agile	4020	234	17	7
Nash	7256	113	64	7
Commodore	27698	288	96	5
Greeley	2620	96	27	13
Klickitat	2384	202	12	9
Turf	2513	524	5	10
Piranha	2159	15	144	9
Scotch	37869	2309	16	5
Corduroy	1554	25	62	9
Bronze	2038	25	81	9
Piledriver	1593	79	20	7

\*Confidence ellipse does not contain true epicenter.

02 13 80

TABLE VIII  
RELATIVE IN-VEL-TIME ANOMALIES(1) EORINGORVEL-TIME TABLES (2) REFERENCE STATION RH=0N  
(3) INCLUDING ELLIPTICITY

(4) ANOMALY REGION = NEVADA TEST SITE

(5) DISTANCE RANGE = 2331 TO 2340 KM (6) AZIMUTH RANGE = 237.8 TO 281.9 DEGREES

(7) EVENT NAME	(8) DISTANCE ATIMUTH	(10) AV=IS	(11) AV=AL	(8) BE=FL	(8) BL=HU	(8) BR=PA	(8) CP08N	(8) DM=NT	(8) ER=HT	(8) EN=HO	(8) EU=AL
02 JUN80 PILEURIVER	2331.29	238.16	1.927	1.280	0	0	0.840	0	0	0	0
03 DEC85 CORONOUY	2330.19	238.03	1.111	0	1.273	0	0.873	0	0	0	0
20 FEB84 KLIKAITAT	2330.83	237.99	0	0	0.667	1.003	1.002	0.243	0.517	0	0
06 MAY80 CHART	2337.46	238.02	1.084	1.084	0	0	1.000	0	0	0	0
24 APR84 TURF	2337.60	238.01	1.084	1.084	0	0.875	0.880	1.024	0.944	0.307	0
16 JAN84 FORF	2337.90	237.99	1.084	1.084	0	0.875	0.885	1.018	0	0.103	0
20 JAN87 DUNHON	2338.67	237.83	0	0	0	0.031	0	0	0	0	0
20 MAY87 COMMODORE	2339.70	237.80	0	0	0	0	0	0	0	0	0
23 FEB87 AGILE	2340.12	237.89	0	0	0	0	0	0	0	0	0
23 JUL85 BRONZE	2340.56	237.88	1.000	1.000	0	0.667	0.666	1.046	1.022	0	0
02 OCT84 AUK	2340.77	237.80	0	0	0	0	0	0	0	0	0
10 MAY80 DUNHON	2340.80	237.84	0	0	0	0	0	0	0	0	0
11 MAY88 PIRANHA	2341.53	237.86	1.087	1.087	0	0	0	0	0	0	0
10 DEC85 BUFF	2342.38	237.82	0	0	0	0	0	0	0	0	0
03 JUN80 TAN	2343.19	237.83	0	0	0	0	0	0	0	0	0
23 MAY87 SCOTCH	2346.30	238.78	0	0	0	0	0	0	0	0	0
20 DEC84 GEELEY	2346.39	238.87	0	1.085	1.017	0	0	1.110	0	0	0
AVERAGE (13)		0.84	1.746	1.381	0.791	0.930	0.916	0.988	0.251	0.988	0.000
SIGMA (13)		0.01	0.145	0.112	0.145	0.101	0.117	0.094	0.09	0.199	0.034
N (15)		3	6	0	5	5	5	5	4	9	3

EVENT NAME	DISTANCE ATIMUTH	GG=UR	MN=HE	AC NO	L2=HU	NP=NT	DA=HU	RG=GU	RI=PC	WH=YK	00308
02 JUN80 PILEURIVER	2331.20	238.16	0	1.087	0	0	0.877	0	0	2.002	0
03 DEC85 CORONOUY	2330.19	238.03	0	0.910	0	0	1.030	0	0	1.048	0
20 FEB84 ALIKAITAT	2330.83	237.99	0	1.773	0	0	1.050	0	0	0.508	0
05 MAY80 CHART	2337.46	238.02	0	0.805	0	0	1.124	0	0	2.038	0
24 APR84 TURF	2337.60	238.01	2.000	0.925	0	0.802	0.800	0	0	0	0
16 JAN84 FORF	2337.90	237.99	0	1.084	0	0	1.010	0.895	0	0	0
20 JAN87 DUNHON	2338.67	237.83	0	0.510	0	0	0.927	0	0	0	0.320
20 MAY87 COMMODORE	2339.70	237.80	0	0.640	0	0	0	0	2.020	0	0.510
23 FEB87 AGILE	2340.19	237.80	0	0.510	0	0	0.805	0	2.024	0	0.320
23 JUN87 BRONZE	2340.53	237.80	0	0.522	0	0	0.809	0	0	0	0
02 OCT84 AUK	2340.77	237.80	0	0.500	0	0	0.755	0.800	0	0	0
19 MAY88 DUNHON	2340.80	237.80	0	0.670	0	0	0.802	0	0	2.031	0
13 MAY88 PIRANHA	2341.53	237.80	0	0.713	0	0	1.001	0	3.092	2.005	0
10 DEC85 HUFF	2342.38	237.82	0	0.388	0	0	0.800	0	0	2.018	0
13 DEC85 BILBY	2342.05	237.80	0	0.387	0	0	0.822	0	2.004	0	0.900
03 JUN80 TAN	2343.19	237.83	0	0.504	0	0	0.750	0	0	2.007	0
23 MAY87 SCOTCH	2346.30	238.78	0	0.800	0	0	0	0	0	1.084	0.607
20 DEC84 GEELEY	2346.39	238.87	0	0.671	0.575	1.005	0	1.216	0.104	0.008	0.193
AVERAGE		0.869	1.777	1.385	0.854	0.930	0.916	0.983	0.251	0.988	0.425
SIGMA		0.028	0.125	0	0.007	0.130	0.118	0.098	0.080	0.254	0.150
N		9	19	1	3	17	3	9	7	9	12

EVENT NAME	DISTANCE ATIMUTH	SY208	PZ=RR	LV=LA
02 JUN80 PILEURIVER	2331.29	238.16	0	0
03 DEC85 CORONOUY	2330.19	238.03	0	0
20 FEB84 ALIKAITAT	2330.83	237.99	0	0
06 MAY80 CHART	2337.46	238.02	0	0
24 APR84 TURF	2337.60	238.01	0	0
16 JAN84 FORF	2337.90	237.99	0	0
20 JAN87 DUNHON	2338.67	237.83	0	0
20 MAY87 COMMODORE	2339.70	237.80	0	0
23 FEB87 AGILE	2340.12	237.89	0	0
23 JUL85 BRONZE	2340.56	237.88	-0.501	0
02 OCT84 AUK	2340.77	237.80	0	0
19 MAY88 DUNHON	2340.80	237.84	0	0
10 DEC85 HUFF	2342.38	237.82	0	0
13 DEC85 BILBY	2342.05	237.80	0	0
03 JUN80 TAN	2343.19	237.83	0	0
23 MAY87 SCOTCH	2346.30	238.78	0	0
20 DEC84 GEELEY	2346.39	238.87	0	0
AVERAGE		0.791	1.651	1.0010
SIGMA		0	0.167	0.012
N		1	2	2

\* INDICATES ANOMALY AVERAGE IS SIGNIFICANTLY NON-ZERO AT 0.9 PERCENT

(16)	(17)	(18)	(19)	(20)	(21)	(22)	(23)	(24)
10 EPILINTERS	LATITUDE	LONGITUDE	DEPTH	ORIGIN TIME	SHOCK SIGMA	REF STAB	DIAG SIGMA	STA
02 JUN80 PILEURIVER	37.127	-118.055	0	19 35 50.1	-1100	0.000	0.02	0
03 DEC85 CORONOUY	37.165	-118.092	0	19 13 52.1	-1113	-0.007	0.05	9
20 FEB84 ALIKAITAT	37.151	-118.040	0	19 35 00.1	-1733	-0.006	0.147	9
06 MAY80 CHART	37.140	-118.022	0	19 00 00.1	-1801	-0.120	0.104	9
24 APR84 TURF	37.150	-118.055	0	23 10 00.2	-0.072	-0.171	0.343	9
16 JAN84 FORF	37.142	-118.040	0	18 00 50.1	-0.007	-0.010	0.208	11
20 JAN87 DUNHON	37.142	-118.040	0	17 40 00.1	-1202	-0.025	0.114	3
25 MAY87 COMMODORE	37.100	-118.084	0	19 00 50.1	-2051	-0.204	0.100	4
10 DEC85 HUFF	37.087	-118.034	0	19 00 50.0	-0.005	-0.020	0.084	0
10 JAN87 NASH	37.144	-118.135	0	16 45 50.1	-1144	-0.054	0.077	6
13 SEP83 BILBY	37.081	-118.023	0	17 00 00.1	-1300	-0.003	0.146	13
03 JUN80 TAN	37.080	-118.035	0	14 00 00.0	-1354	-0.005	0.085	7
33 MAY87 SCOTCH	37.279	-118.379	0	14 00 50.0	-3390	-0.118	0.211	4
20 DEC84 GEELEY	37.302	-118.400	0	19 30 00.1	-1514	-0.031	0.158	12

TABLE IX  
 02 12 68  
 RELATIVE TRAVEL-TIME AND HALETS  
 J-B TRAVEL-TIME FAULTS  
 INCLUDING ELLIPTICITY  
 REFERENCE STATION: N60N  
 ANOMALY REGION: NEVADA TEST SITE  
 DISTANCE RANGE: 2131 TO 2200 KM AZIMUTH RANGE: 237.4 TO 230.0 DEGREES

EVENT NAME	DISTANCE	AZIMUTH	04-10	05-24L	06-7L	06-10	08-8L	08-0D0	09-1NT	09-1HT	09-1D0	09-1W	
02 JUN66 PILEDRIVER	2331.29	230.10	0	2.087	1.363	0	0	1.680	0	0	0	0	
03 DEC65 CORDUROY	2330.19	230.03	.069	0	1.342	0	0	1.788	0	0	0	0	
20 JUL66 KLICKITAT	2330.43	237.90	0	0	0	1.192	1.122	1.789	.342	0.216	0	0	
04 MAY66 CHART	2331.46	230.02	0	2.492	0	0	0	1.677	0	0	0	0	
24 APR66 TUFF	2331.78	230.01	0	0	0	1.134	1.106	1.742	.651	0.423	0	0	
14 JAN67 EDIE	2331.78	237.90	0	0	0	1.097	1.080	1.429	0	0.022	0	0	
20 JAN67 BOUARDON	2331.97	237.83	0	0	0	0	0	0	0	0	0	0	
20 MAY67 COMBODUNE	2331.78	237.90	0	0	0	0	0	0	0	0	0	0	
23 FEB67 ASILE	2340.15	237.89	0	0	0	0	0	1.489	0	0	0	0	
23 JUL66 PROKZ	2340.56	237.80	.031	0	0	0	0	1.694	0	0	0	0	
02 OCT66 AUN	2340.77	237.90	0	0	0	0	0	1.740	0	0	0	0	
19 MAY66 DUMONT	2340.89	237.94	0	2.379	1.442	0	0	1.663	0	0	0	0	
13 MAY66 PIRAMHA	2341.93	237.86	0	2.432	1.206	0	0	1.620	0	0	0	0	
19 DEC65 PUFF	2342.34	237.82	.060	0	0	0	0	1.670	0	0	0	0	
19 JAN67 NASH	2342.88	230.13	0	0	0	0	0	1.595	0	0	0	0	
13 SEPO63 KILBY	2344.99	237.79	0	0	0	0	0	1.611	0	0	0	0	
03 JUN66 TAN	2345.19	237.83	0	2.220	1.146	0	0	1.627	0	0	0	0	
23 MAY67 SCATCH	2346.38	230.76	0	0	0	0	0	1.604	0	0	0	0	
20 DEC66 GREELEY	2346.39	230.87	0	2.431	1.048	0	0	1.720	0	0	0	0	
AVERAGE			.062*	2.259*	1.468*	1.048*	1.042*	1.638*	.284	0.094*	0.097	0.226*	
SD164			.079	.111	.105	.150	.114	.104	.230	.217	.147	.149	
N			3	6	6	9	9	14	9	4	2	2	
EVENT NAME	DISTANCE	AZIMUTH	05-6D	04-1W	04-1D	04-1W	04-1V	04-1W	04-1NT	04-1HT	04-1D0	04-1W	
02 JUN66 PILEDRIVER	2321.77	230.10	0	.767	0	0	1.501	0	0	2.105	0	0	
03 DEC65 CORDUROY	2330.19	230.03	1.044	1.221	0	0	1.694	0	0	0.125	0	0	
20 JUL66 KLICKITAT	2330.43	237.90	0	1.223	0	0	1.707	0	0	0	0	0	
04 MAY66 CHART	2331.46	230.02	0	1.223	0	0	1.707	0	0	0	0	0	
24 APR66 TUFF	2331.78	230.01	0	1.223	0	0	1.707	0	0	0	0	0	
10 JAN67 PROKZ	2331.98	230.00	0	1.223	0	0	1.707	0	0	0	0	0	
20 JAN67 BOUARDON	2331.97	237.90	0	1.223	0	0	1.707	0	0	0	0	0	
20 MAY67 COMBODUNE	2330.70	237.95	0	1.223	0	0	1.707	0	0	0	0	0	
22 JAN67 ASILE	2340.15	237.90	0	1.223	0	0	1.707	0	0	2.164	0	0	
23 JUL66 PROKZ	2340.56	237.80	0	1.053	0	0	1.624	0	0	2.245	0	0	
02 OCT66 AUN	2340.77	230.00	0	1.223	0	0	1.707	0	0	0	0	0	
10 JAN67 DUMONT	2340.99	237.84	0	1.223	0	0	1.707	0	0	1.312	0	0	
13 MAY66 PIRAMHA	2341.93	237.86	0	1.140	0	0	1.672	0	0	2.064	0	0	
10 DEC65 KUFT	2342.30	237.82	0	1.053	0	0	1.633	0	0	2.164	0	0	
10 JAN67 NASH	2342.88	230.13	0	1.064	0	0	1.604	0	0	2.164	0	0	
13 SEPO63 KILBY	2344.05	237.70	2.060	1.932	0	1.193	1.725	.510	0	1.393	0	0.093	
03 JUN66 TAN	2345.17	237.83	0	1.064	0	0	1.213	0	0	2.164	0	0	
23 MAY67 SCATCH	2346.20	230.76	0	1.103	0	0	1.213	0	0	2.164	0	0.163	
20 DEC66 GREELEY	2346.39	230.87	1.017	1.002	1.302	0	1.727	.287	2.714	1.407	0	0.176	
AVERAGE			2.062*	1.013*	1.022	1.122*	1.526*	1.672*	2.932*	2.135*	1.710*	1.811*	
SD164			.020	.120	.120	.0-3	.130	.137	.250	.250	.120	.120	
N			9	10	1	3	7	3	6	9	9	12	
EVENT NAME	UI874NC8	AT180UTN	092D0	-22-PR	LB-L4								
02 JUN66 PILEDRIVER	2321.29	220.10	0	0	0								
03 DEC65 CORDUROY	2330.19	220.03	0	0	0								
20 JUL66 KLICKITAT	2330.43	227.00	0	0	0								
04 MAY66 CHART	2331.46	220.42	0	0	0								
24 APR66 TUFF	2331.78	220.01	0	0	0								
10 JAN67 EDIE	2331.98	227.89	0	0	0								
20 JAN67 BOUARDON	2331.97	227.83	0	0	0								
23 FEB67 ASILE	2340.15	227.89	0	0	0								
23 JUL66 PROKZ	2340.56	227.80	0	0	0								
02 OCT66 AUN	2340.77	220.00	0	0	0								
19 MAY66 DUMONT	2341.93	227.86	0	0	0								
13 MAY66 PIRAMHA	2342.30	227.02	0	0	0								
16 DEC65 KUFT	2342.30	227.02	0	0	0								
10 JAN67 NASH	2342.88	220.13	0	0	0								
13 SEPO63 KILBY	2343.05	227.79	0	1.933	1.479								
03 JUN66 TAN	2343.19	227.83	0	0	0								
23 MAY67 SCATCH	2343.38	220.76	0	0	0								
20 DEC66 GREELEY	2343.39	220.87	0	0	0								
AVERAGE			.062*	1.004	1.010*								
SD164			0	.902	.049								
N			1	2	2								

\* INDICATES ANOMALY AVERAGE IS SIGNIFICANTLY NON-ZERO AT 95 PERCENT

EVENT	PARAMETERS
02 JUN66 PILEDRIVER	37.127 -119.029
03 DEC65 CORDUROY	27.169 -116.052
20 JUL66 KLICKITAT	37.151 -116.041
04 MAY66 CHART	37.130 -116.322
24 APR66 TUFF	37.159 -116.053
10 JAN67 EDIE	37.142 -116.049
20 JAN67 BOUARDON	37.169 -116.051
23 FEB67 ASILE	37.127 -116.046
23 JUL66 PROKZ	37.050 -116.053
02 OCT66 AUN	37.070 -116.050
19 MAY66 DUMONT	37.131 -116.050
13 MAY66 PIRAMHA	37.051 -116.044
16 DEC65 KUFT	37.073 -116.050
10 JAN67 NASH	37.144 -116.129
13 SEPO63 KILBY	37.101 -116.052
03 JUN66 TAN	37.069 -116.059
22 MAY67 SCATCH	37.275 -117.370
20 DEC66 GREELEY	37.362 -116.046

TABLE X  
02 13 68  
RELATIVE TRAVEL-TIME ANOMALIES  
HEMISPHERE TRAVEL-TIME TABLES  
INCLUDING ELLIPTICITY  
REFERENCE STATION NN-01N

ANOMALY POSITION = NEVADA TEST SITE  
DISTANCE RANGE = 2331 TO 2346 KM AZIMUTH RANGE = 237.0 TO 280.0 DEGREES

EVENT NAME	DISTANCE	AZIMUTH	60-10	4X20L	NE-FL	BL-HV	80-14	CPO-08	DN-NT	DD-NT	DN-ND	DU-GL
02 JUN66 FILEDRIVER	2331.29	234.16		2.100	1.320			1.636				
03 DEC65 CORDUBUY	2336.19	234.03	1.200		1.300		0.666	1.625	1.740	1.339	-0.206	0
00 FEB64 KLICKITAT	2336.03	237.00						1.601				
05 MAY66 CHART	2337.46	234.42		2.439				1.670				
24 APR64 TURF	2337.06	238.01					0.950	1.811	1.704	1.609	0.500	0
16 JAN67 FORB	2337.00	237.98					1.003	0.950	1.300		-0.700	2.755
00 JAN67 BOURBON	2339.07	237.63										
20 DEC67 CDM4000H	2339.70	237.00										
23 FEB67 4G1L0	2340.19	237.98										
23 JUL65 BRONZE	2340.56	237.00	1.072				0.730	0.647	1.015	1.172		0
02 OCT64 AUK	2340.77	237.00										
15 MAY66 DUMONT	2340.89	237.04					2.375	1.400				
13 MAY69 PIRANHA	2341.53	237.06					2.410	1.350				
10 DEC65 BUFF	2342.30	237.42	1.006									
19 JAN67 HARM	2342.00	237.00										
03 JUN67 TAN	2343.12	237.83		2.011	1.112		0	1.449				
03 MAY67 SCOTCH	2340.30	236.76					0	1.449				
20 DEC66 GREELEY	2340.39	236.97		2.410	1.414		0	1.700				2.007
AVERAGE												
01 JUNA			1.126	2.341	1.320		0.620	0.877	1.620	1.242	-0.656	1.100
N			0.70	0.112	0.111		0.150	0.113	0.105	0.110	0.200	0.147
			3	6	6		0	5	14	5	4	2

EVENT NAME	DISTANCE	AZIMUTH	60-10	NN-NE	NC NO	LZ-BV	NP-NT	DD-NN	PO-BC	SI-SC	WN-YD	DU-00
02 JUN66 FILEDRIVER	2331.29	234.16		0	1.102		0	1.849	0	0	1.901	0
03 DEC65 CORDUBUY	2336.19	234.03		0	1.112		0	1.981	0	0	2.120	0
00 FEB64 KLICKITAT	2336.03	237.00	0.03	0	1.102		0	2.005	0	0	1.086	0.413
05 MAY66 CHART	2337.46	234.42		0	1.164		0	2.045	0	0	1.086	0
24 APR64 TURF	2337.06	238.01	4.000	1.112	0	0.874	1.787	0	0	0	0	0
10 JAN67 FORB	2337.00	237.88	0.305	0	1.102		0	1.944	0.111	0	0	0
20 JAN67 BOURBON	2339.07	237.00		0	1.102		0	1.786	0	0	0	0
20 MAY67 CDM4000-E	2339.70	237.00		0	1.102		0	0	0	0.100	1.004	0.203
23 FEB67 4G1L0	2340.19	237.98		0	1.102		0	1.734	0	0.200	1.477	0.112
22 JUL65 BRDN40	2340.56	237.00		0	1.102		0	1.778	0	0	0	0
00 OCT64 AUR	2340.77	237.00		0	0.972		0	0.731	1.789	0	0	0
15 MAY66 DUMONT	2340.89	237.04		0	1.243		0	1.720	0	0	1.904	0.205
13 MAY69 PIRANHA	2341.53	237.06		0	1.203		0	1.927	0	0.000	1.071	0.360
16 DEC65 BUFF	2342.30	237.42		0	0.932		0	1.889	0	0	1.903	0.311
19 JAN67 HARM	2342.00	237.00		0	1.203		0	1.835	0	0.624	1.820	0.132
13 SEP62 BILLET	2342.99	237.70	1.059	1.175	0	0.990	2.072	0.010	0	0	0	0
03 JUN67 TAN	2343.10	237.82		0	1.147		0	1.679	0	0	2.000	0.048
23 MAY67 SCOTCH	2340.20	236.76		0	1.244		0	1.679	0	0	1.734	0.220
20 DEC66 GREELEY	2340.39	236.97		0	1.144	1.025	0	2.005	-0.231	2.003	0	1.270
AVERAGE												
01 JUNA			1.058	1.105	1.053		0.838	1.077	1.611	1.031	1.222	0.202
N			0.70	0.106	0.091		0.151	0.123	0.123	0.211	0.092	0.227
			3	10	1		3	3	6	7	1	12

EVENT NAME	DISTANCE	AZIMUTH	60-10	PP-88	LV-L6
02 JUN66 FILEDRIVER	2331.29	234.16			
03 DEC65 CORDUBUY	2336.19	234.03			
00 FEB64 KLICKITAT	2336.03	237.89			
05 MAY66 CHART	2337.46	234.82			
24 APR64 TURF	2337.06	238.01			
16 JAN67 FORB	2337.99	237.98		2.004	1.970
20 JAN67 BOURBON	2339.07	235.83			
20 MAY67 CDM4000B	2339.70	237.99			
23 FEB67 4G1L0	2340.15	237.89			
23 JUL65 BRONZE	2340.50	237.00	0.226		
02 OCT64 AUK	2340.77	237.00			
15 MAY66 DUMONT	2340.99	237.94			
13 MAY69 PIRANHA	2341.53	237.00			
16 DEC65 BUFF	2342.30	237.00			
10 JAN67 HARM	2342.00	224.13			
13 SEP62 BILLET	2340.95	237.70		2.001	1.950
03 JUN67 TAN	2343.10	237.00			
03 MAY67 SCOTCH	2340.30	236.76			
20 DEC66 GREELEY	2340.39	236.97			
AVERAGE					
01 JUNA			0.226	2.036	1.530
N			0	0.204	0.044
			1	0	2

\* INDICATES ANOMALY AVERAGE IS SIGNIFICANTLY MORE THAN 2 SD AT 95 PERCENT

EVENT	PASS	PHASES	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50	51	52	53	54	55	56	57	58	59	60	61	62	63	64	65	66	67	68	69	70	71	72	73	74	75	76	77	78	79	80	81	82	83	84	85	86	87	88	89	90	91	92	93	94	95	96	97	98	99	100	101	102	103	104	105	106	107	108	109	110	111	112	113	114	115	116	117	118	119	120	121	122	123	124	125	126	127	128	129	130	131	132	133	134	135	136	137	138	139	140	141	142	143	144	145	146	147	148	149	150	151	152	153	154	155	156	157	158	159	160	161	162	163	164	165	166	167	168	169	170	171	172	173	174	175	176	177	178	179	180	181	182	183	184	185	186	187	188	189	190	191	192	193	194	195	196	197	198	199	200	201	202	203	204	205	206	207	208	209	210	211	212	213	214	215	216	217	218	219	220	221	222	223	224	225	226	227	228	229	230	231	232	233	234	235	236	237	238	239	240	241	242	243	244	245	246	247	248	249	250	251	252	253	254	255	256	257	258	259	260	261	262	263	264	265	266	267	268	269	270	271	272	273	274	275	276	277	278	279	280	281	282	283	284	285	286	287	288	289	290	291	292	293	294	295	296	297	298	299	300	301	302	303	304	305	306	307	308	309	310	311	312	313	314	315	316	317	318	319	320	321	322	323	324	325	326	327	328	329	330	331	332	333	334	335	336	337	338	339	340	341	342	343	344	345	346	347	348	349	350	351	352	353	354	355	356	357	358	359	360	361	362	363	364	365	366	367	368	369	370	371	372	373	374	375	376	377	378	379	380	381	382	383	384	385	386	387	388	389	390	391	392	393	394	395	396	397	398	399	400	401	402	403	404	405	406	407	408	409	410	411	412	413	414	415	416	417	418	419	420	421	422	423	424	425	426	427	428	429	430	431	432	433	434	435	436	437	438	439	440	441	442	443	444	445	446	447	448

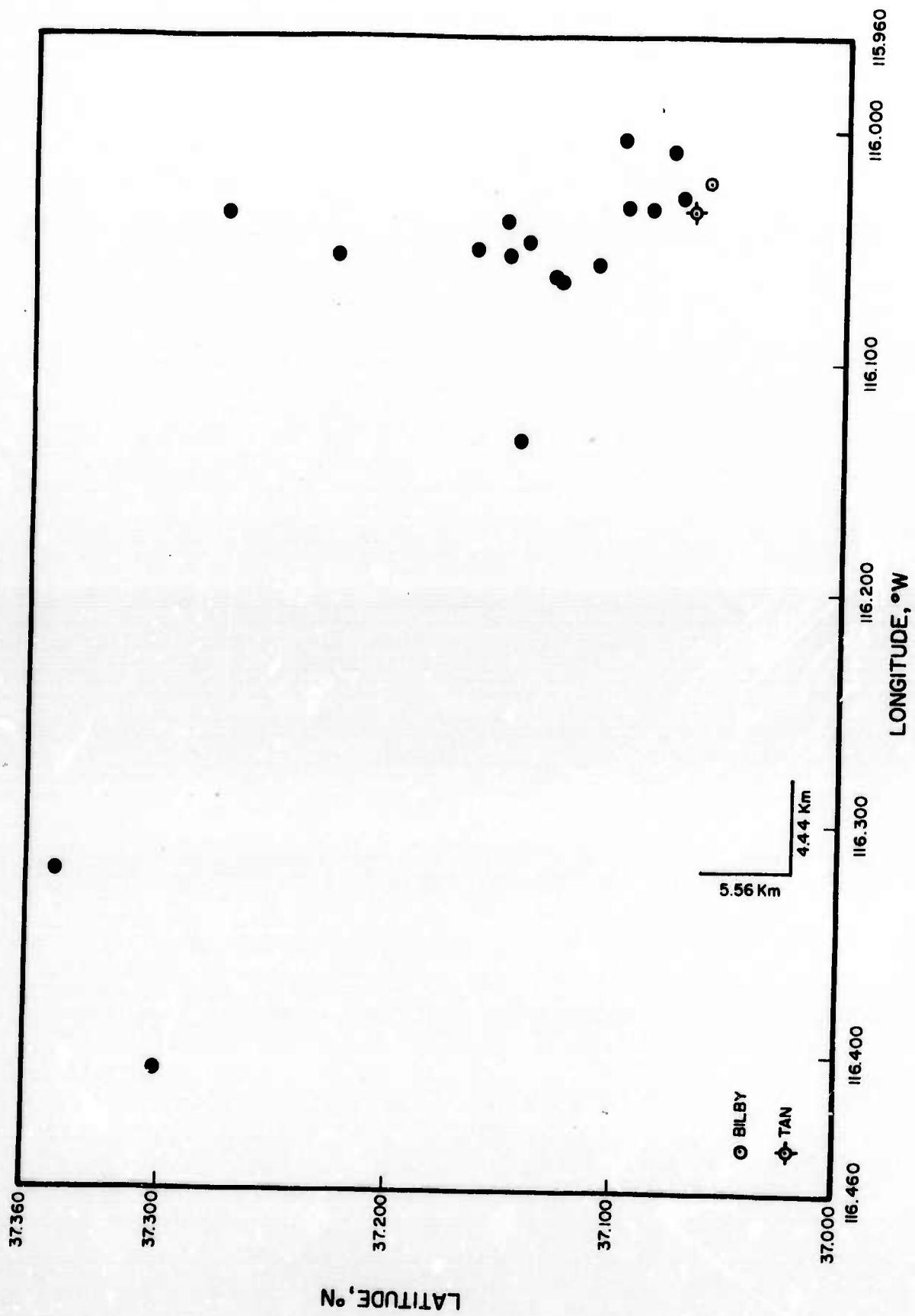


Figure 1. Nevada Test Site Area

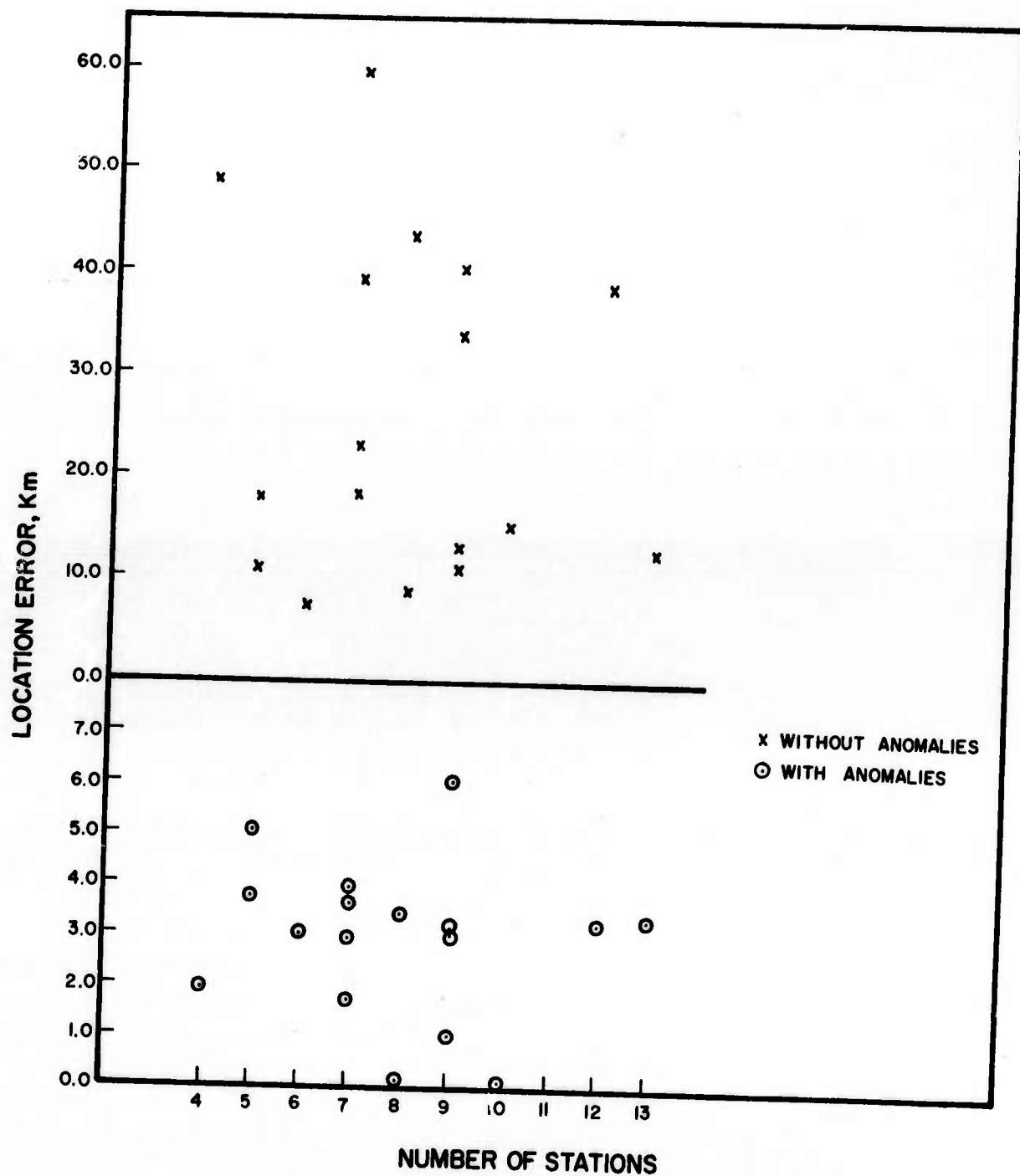


Figure 2. Location error vs number of recording stations

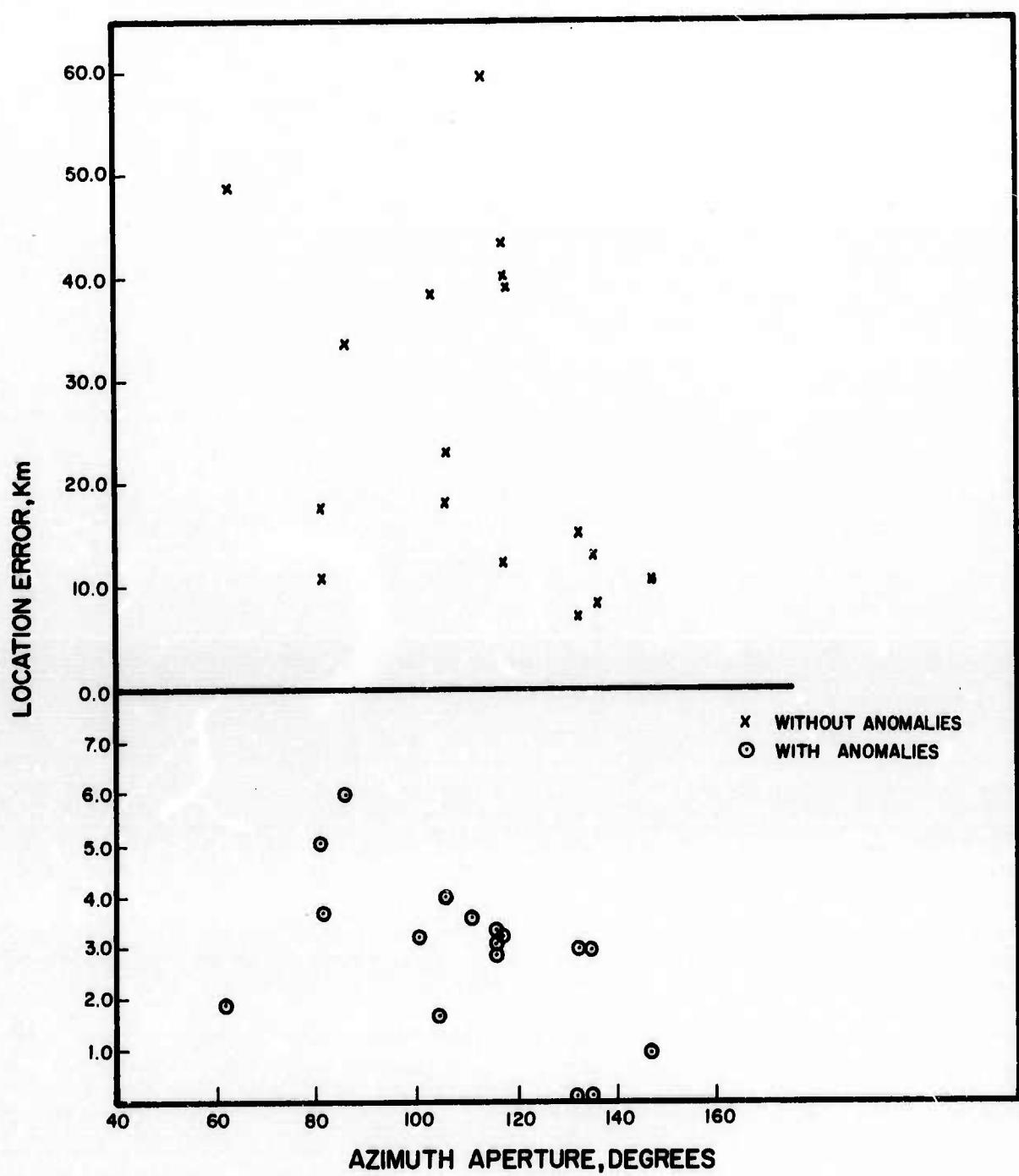


Figure 3. Location error vs azimuth aperture

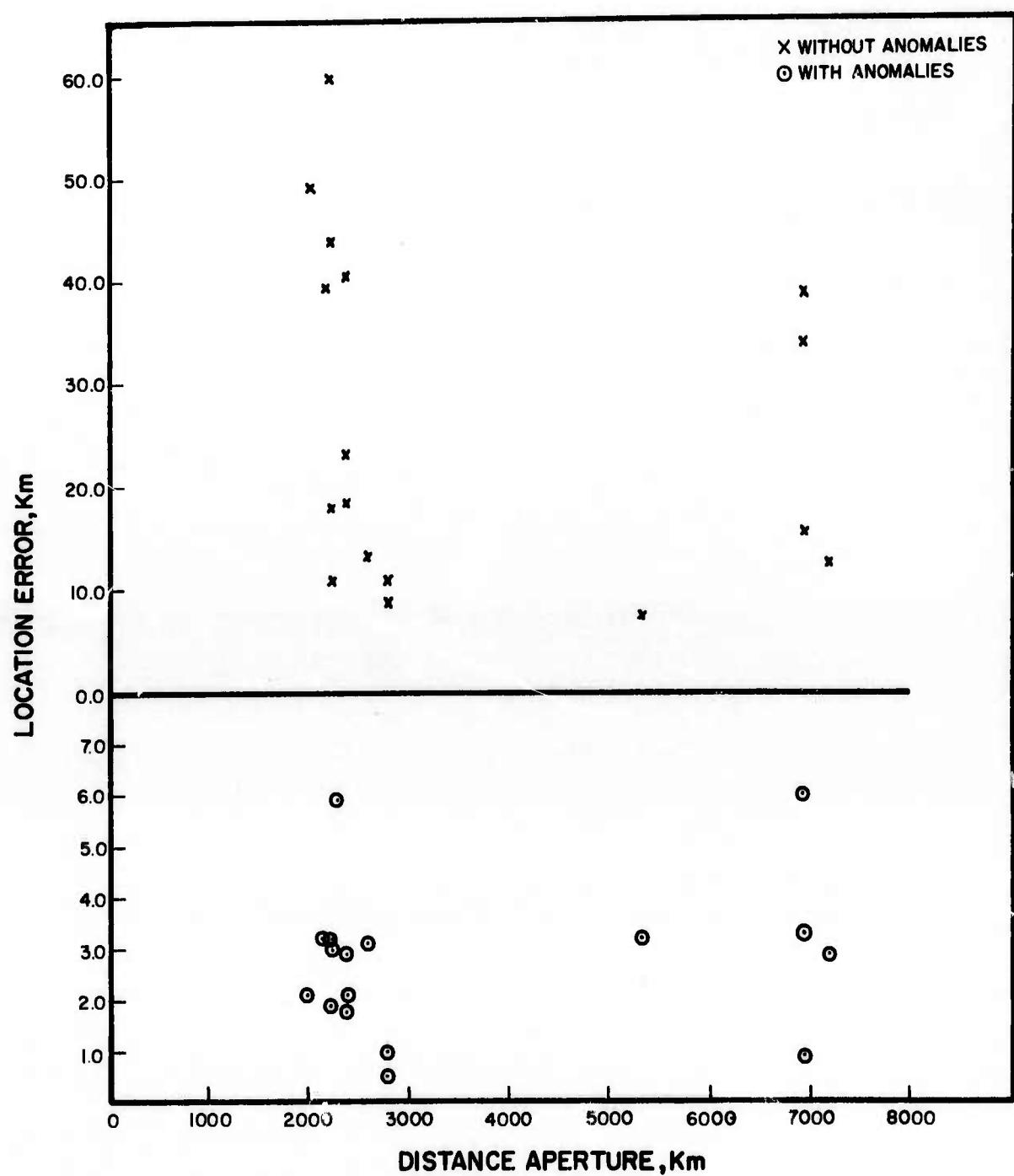
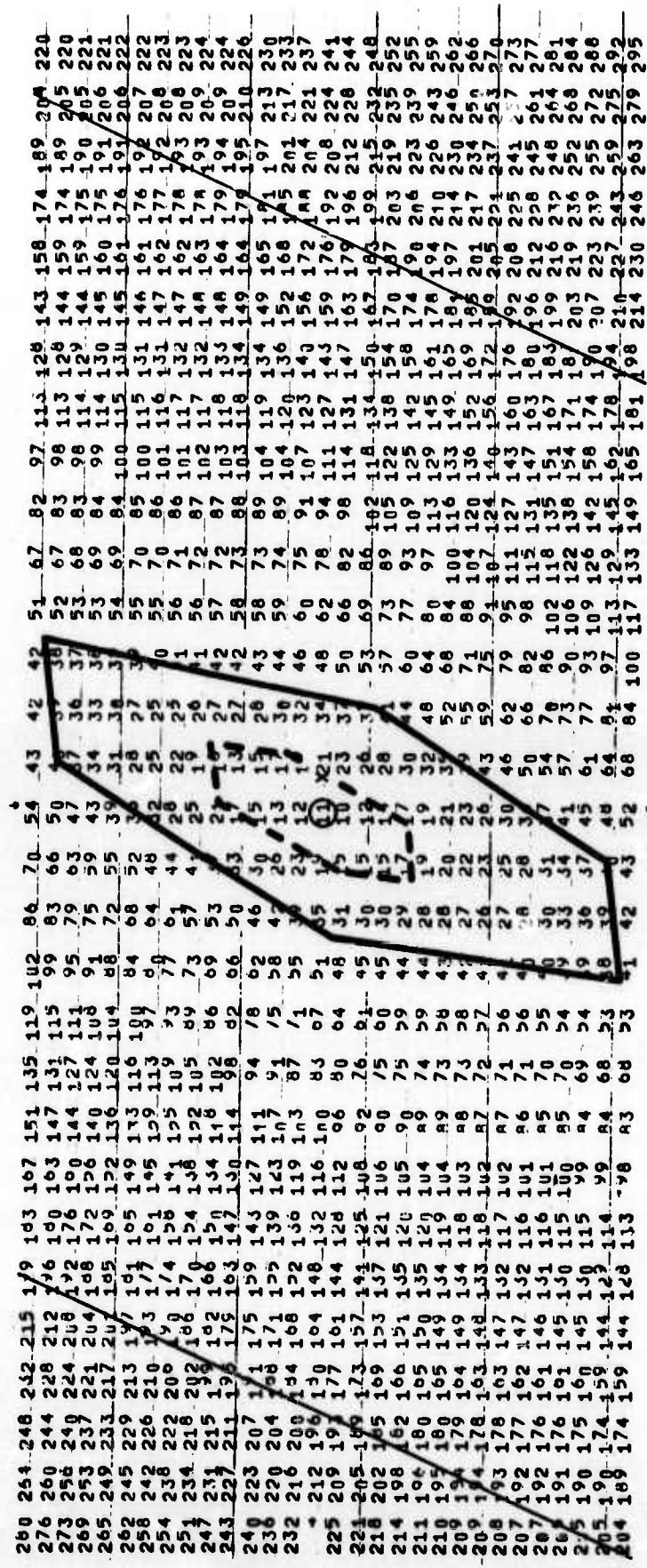


Figure 4. Location error vs distance aperture

20 JAN67 BOURBON  
MAXIMUM RELATIVE ERROR • 100.



23 MAY67 SCOTCH

MAXIMUM RELATIVE ERROR • 100.

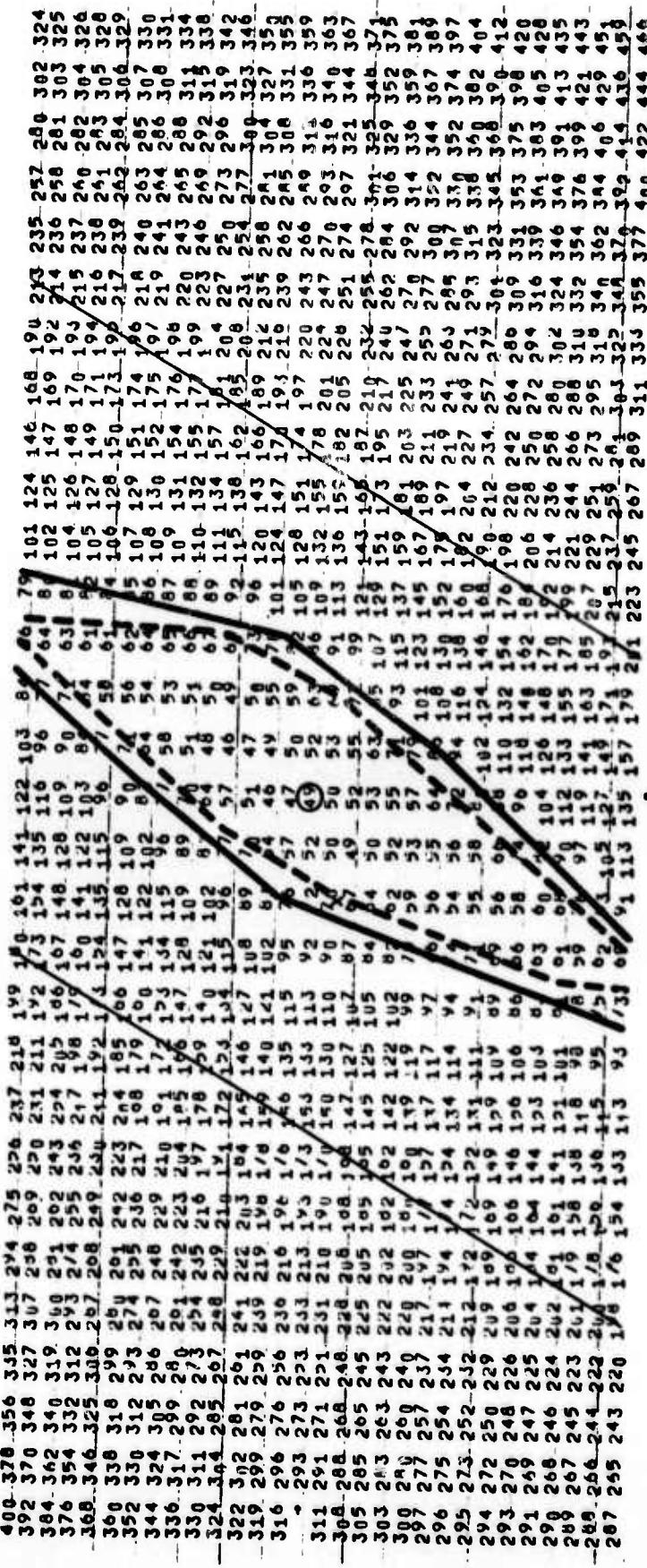
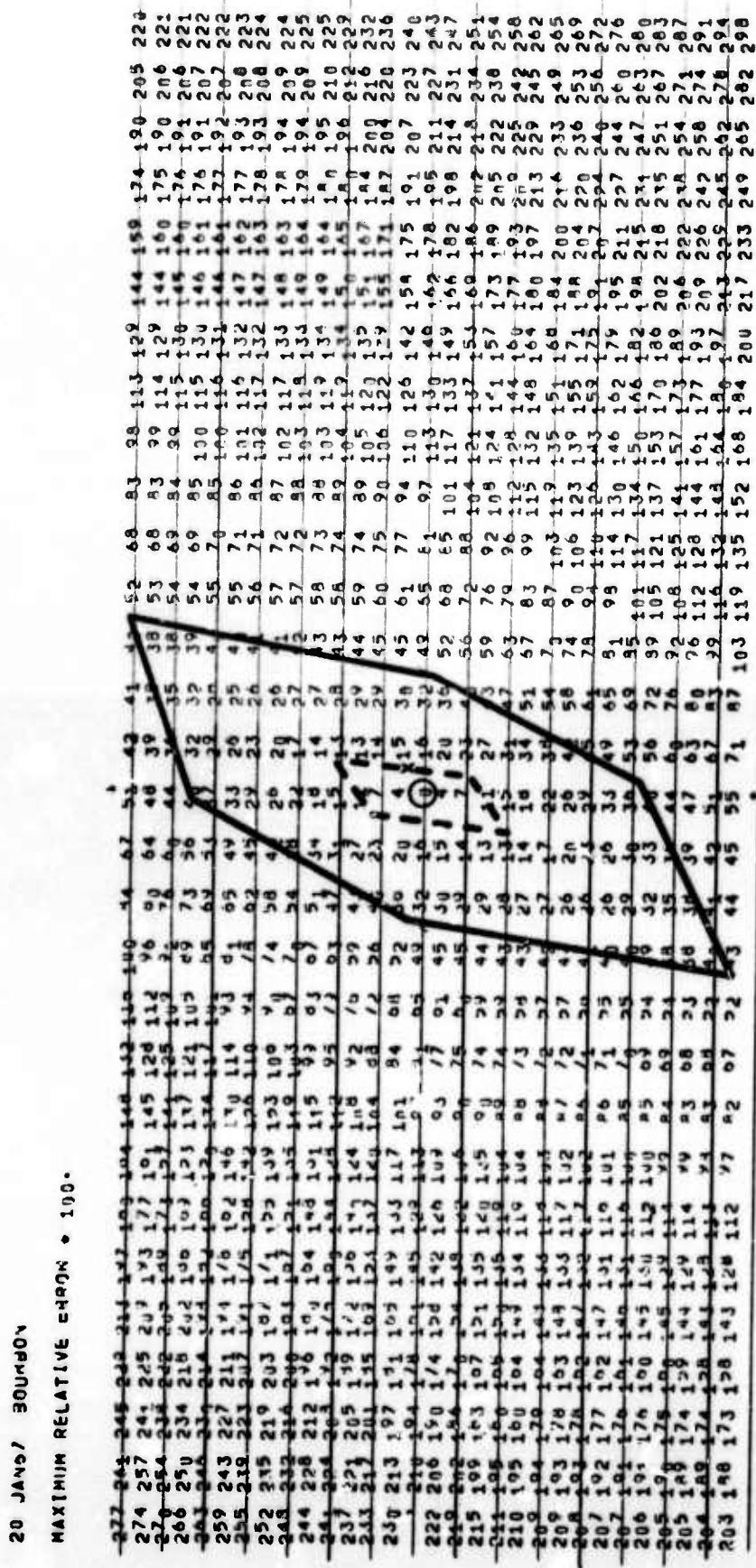


Figure 6. Maximum-relative-error output from SIGRID; event Scotch

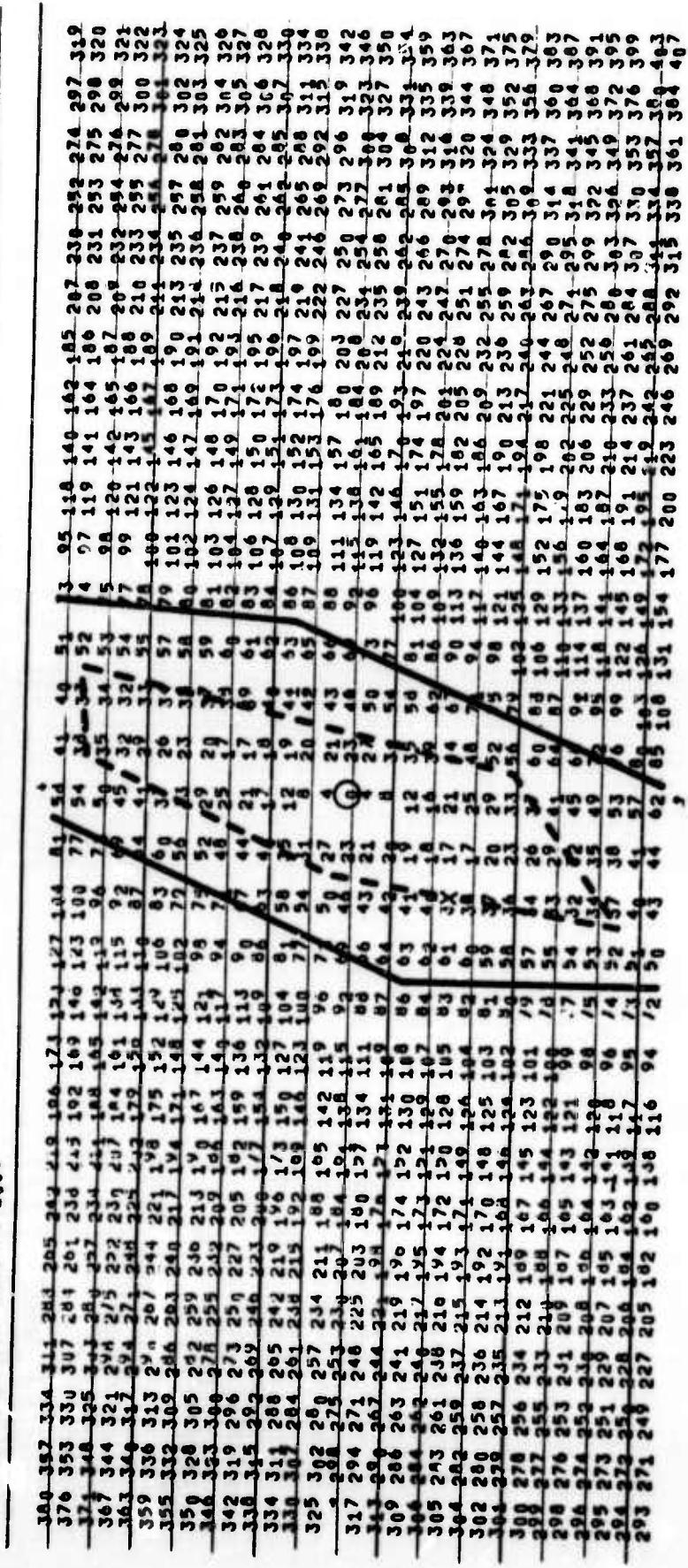


○ Final location from SHIFT-H61  
 X Actual epicenter of Bourbon  
 - - - Contour of actual maximum relative error  
 - - - Contour of estimated maximum relative error

**Figure 7.** Maximum-relative-error output from SIGRID; event Bourbon with three stations

23 MAY 67 SCOTCH

MAXIMUM RELATIVE ERROR • 100.



OFinal location from SHIFT-H61  
 XActual epicenter of Scotch  
 - - -Contour of estimated maximum relative error

Figure 3. Maximum-relative error output from SIGRID; event Scotch with three stations

02 07 68 20 JAN67 BOURBON  
 REFERENCE LATITUDE 37.0997 ON LINE 15  
 LONGITUDE +146.0333 IN COLUMN 5  
 DEPTH 0

SHIRTT-R61 TRAVEL TIME TABLES

LATITUDE	UPPER-LEFT	LONG-LEFT	INCREMENT												UPPER-RIGHT	LONG-RIGHT
			069	ARC-SIN	0090	0090	0200	0200	04224	04224	04224	04224	04224	04224		
123 115 108 103 93 65 78 1/	63 56 49 42 35 29 24 19 17 19 23 28 34 41 48 55 62 70 77 84 92 99															
121 114 106 99 92 66 77 9/	62 55 49 41 34 26 22 18 16 18 21 26 35 42 49 56 63 70 78 85 93 100															
120 113 105 98 90 63 75 98 61 53 46 39 32 26 20 16 15 18 23 29 35 42 49 57 64 71 79 86 94 101																
115 114 104 96 89 62 74 97 59 52 45 38 31 24 19 15 16 17 21 29 36 43 50 57 65 72 80 87 95 102																
118 116 103 95 88 61 73 95 58 51 43 36 29 23 17 13 13 17 23 29 36 44 51 58 66 73 81 88 96 103																
116 115 101 94 86 61 71 94 57 49 42 35 28 21 16 12 13 17 21 30 37 44 52 59 67 74 81 89 96 104																
115 116 100 93 85 78 79 63 55 48 41 33 26 20 14 21 12 17 24 31 38 45 53 60 67 75 82 90 97 105																
114 115 99 91 84 76 89 61 54 47 39 32 25 18 12 16 12 18 24 31 39 46 53 61 68 76 83 91 98 106																
113 115 98 93 83 75 68 60 53 45 38 31 23 17 11 9 18 18 25 32 40 47 54 62 69 77 84 92 98 107																
114 114 96 89 85 74 66 59 51 44 37 29 22 15 12 12 19 26 33 40 48 55 63 70 78 85 93 100 108																
113 113 95 88 89 73 65 58 50 43 35 28 21 14 7/ 7/ 7/ 7/ 7/ 13 19 27 34 41 49 56 64 71 79 86 94 102 109																
106 112 84 81 87 73 72 64 52 44 27 19 12 7/ 7/ 7/ 7/ 7/ 13 20 25 32 39 46 53 62 73 80 87 94 101 108																
105 110 83 81 85 72 70 63 55 48 41 33 25 19 11 6 7/ 7/ 7/ 7/ 7/ 14 21 28 36 43 51 58 65 73 81 89 96 104 111																
107 99 82 81 84 71 69 62 52 24 47 39 32 26 17 10 5 7/ 7/ 7/ 7/ 7/ 15 22 29 37 44 52 59 67 75 82 90 97 104 112																
98 91 93 76 68 61 23 46 38 31 23 16 3/ 3/ 3/ 3/ 3/ 16 23 31 38 46 53 61 66 72 80 87 93 91 98 106 113																
105 92 82 80 82 74 67 53 22 44 37 29 22 15 12 12 12 19 24 32 39 47 54 62 69 76 84 92 99 109 115																
103 96 88 81 73 66 58 21 43 36 24 21 14 7/ 7/ 7/ 7/ 7/ 11 25 33 40 48 55 63 70 78 85 93 101 108 116																
102 85 82 80 85 72 65 57 29 42 35 28 13 7/ 7/ 7/ 7/ 7/ 12 19 27 34 42 49 57 64 72 79 87 94 102 109 117																
101 94 86 79 71 64 26 49 41 34 27 19 13 7/ 7/ 7/ 7/ 7/ 14 21 28 35 43 50 58 65 73 80 88 95 103 110 116																
100 83 81 78 70 63 55 48 40 33 26 17 12 7/ 7/ 7/ 7/ 7/ 15 22 29 37 44 51 59 66 74 81 89 97 104 112 119																
99 92 84 77 69 62 54 47 39 32 25 16 12 9 11 17 23 31 38 45 53 60 68 75 83 90 98 105 113 120																
98 91 83 76 64 61 53 46 39 31 24 16 12 10 12 18 25 32 39 47 54 61 69 76 84 92 99 106 114 122																
97 90 82 75 67 69 52 45 36 24 17 12 11 14 20 26 33 41 48 55 63 70 79 85 93 100 108 115 123																
96 89 81 74 64 58 32 37 34 27 19 13 7/ 7/ 7/ 7/ 7/ 12 19 27 34 42 49 57 64 71 79 86 93 101 108 115																
95 88 80 73 65 56 31 44 36 29 23 17 13 13 17 23 30 36 43 51 58 65 73 80 88 95 103 110 118 125																
94 87 79 72 65 52 39 43 36 29 23 17 14 15 19 24 31 38 45 52 59 67 74 81 88 96 104 111 119 126																
93 86 78 71 64 56 49 42 35 29 23 16 15 16 20 26 32 39 46 53 61 68 75 83 90 98 105 113 120 128																
92 85 78 70 63 58 49 42 35 28 23 16 15 16 22 27 34 41 48 55 62 69 77 84 91 99 106 114 121 129																
91 84 77 69 62 55 48 41 34 28 23 19 17 19 23 29 35 42 49 56 63 71 78 87 93 100 108 115 123 131																
90 83 76 69 61 54 47 39 32 25 14 19 19 23 29 35 42 49 56 63 71 78 87 93 100 108 115 123 131																

○ Final location from SHIRTT-R61

✗ Actual epicenter of Bourbon

— Contour of actual standard deviation

Figure 9. Standard-deviation output from SIGRID; event Bourbon

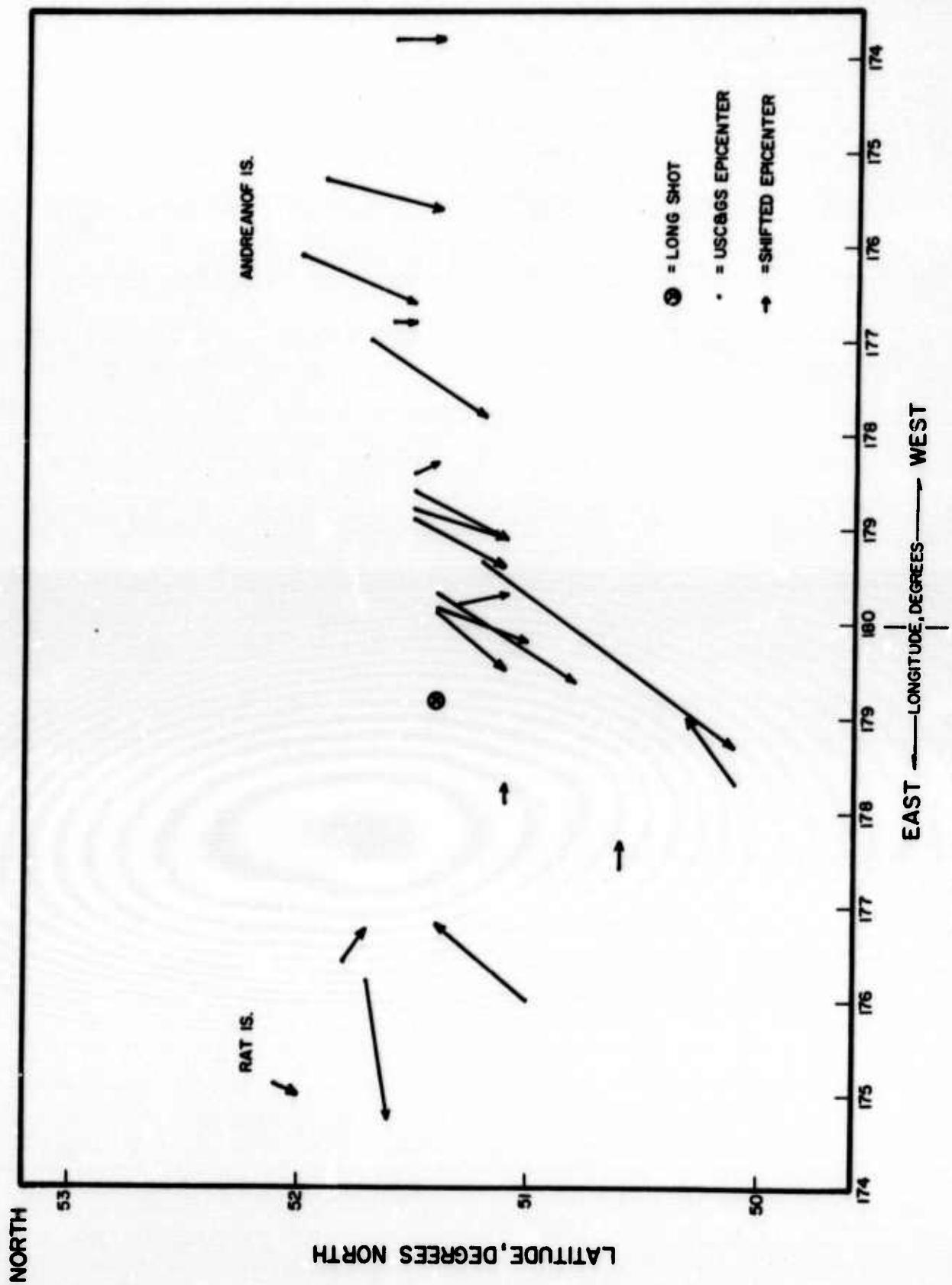


Figure 10. Location Shifts with LONGSHOT Anomalies

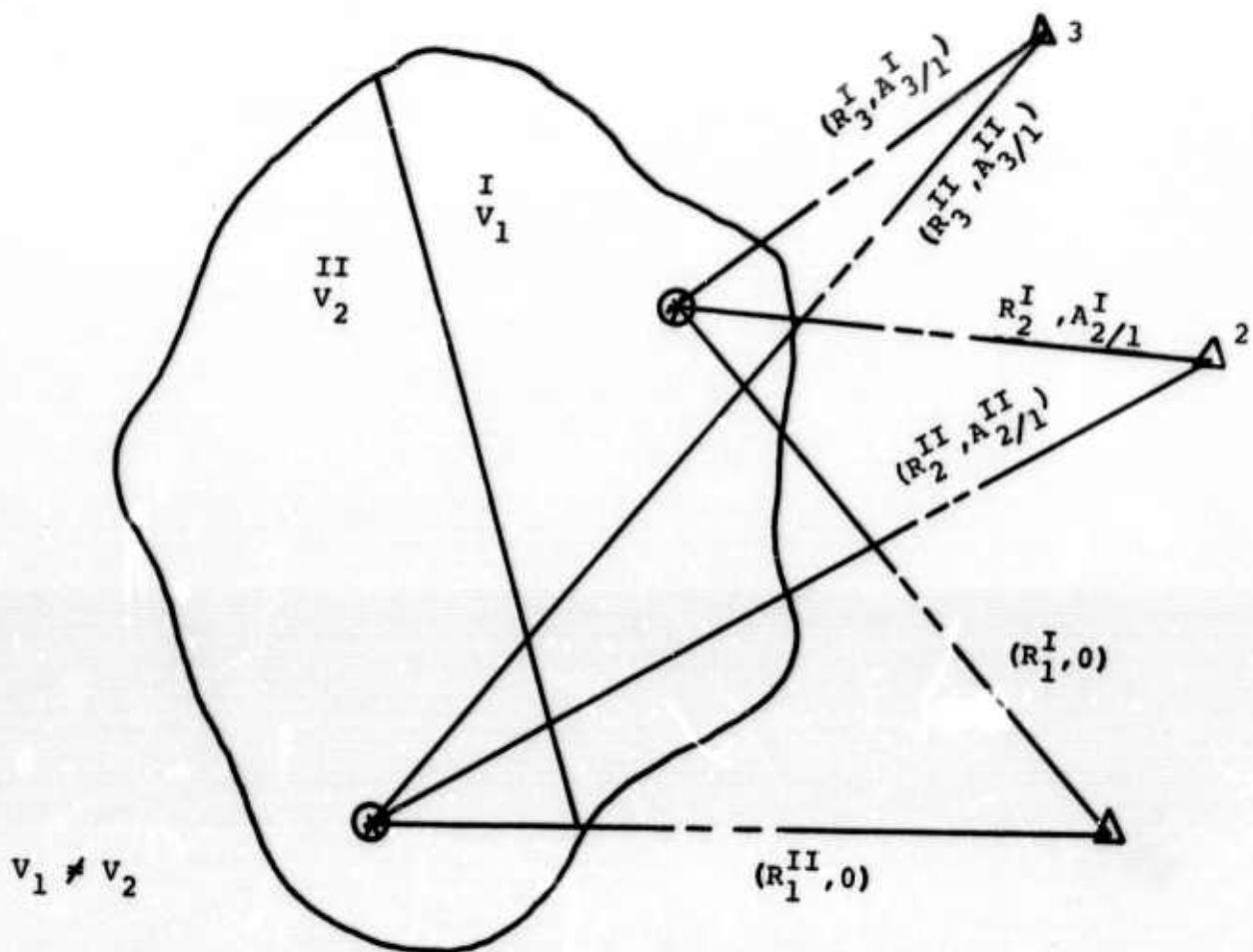


Figure 11. Faulted region illustrating difference when time-calibrating with residual  $R$  or anomalies  $A$ .

APPENDIX I  
INPUT SEQUENCE FOR PROGRAM SHIFT

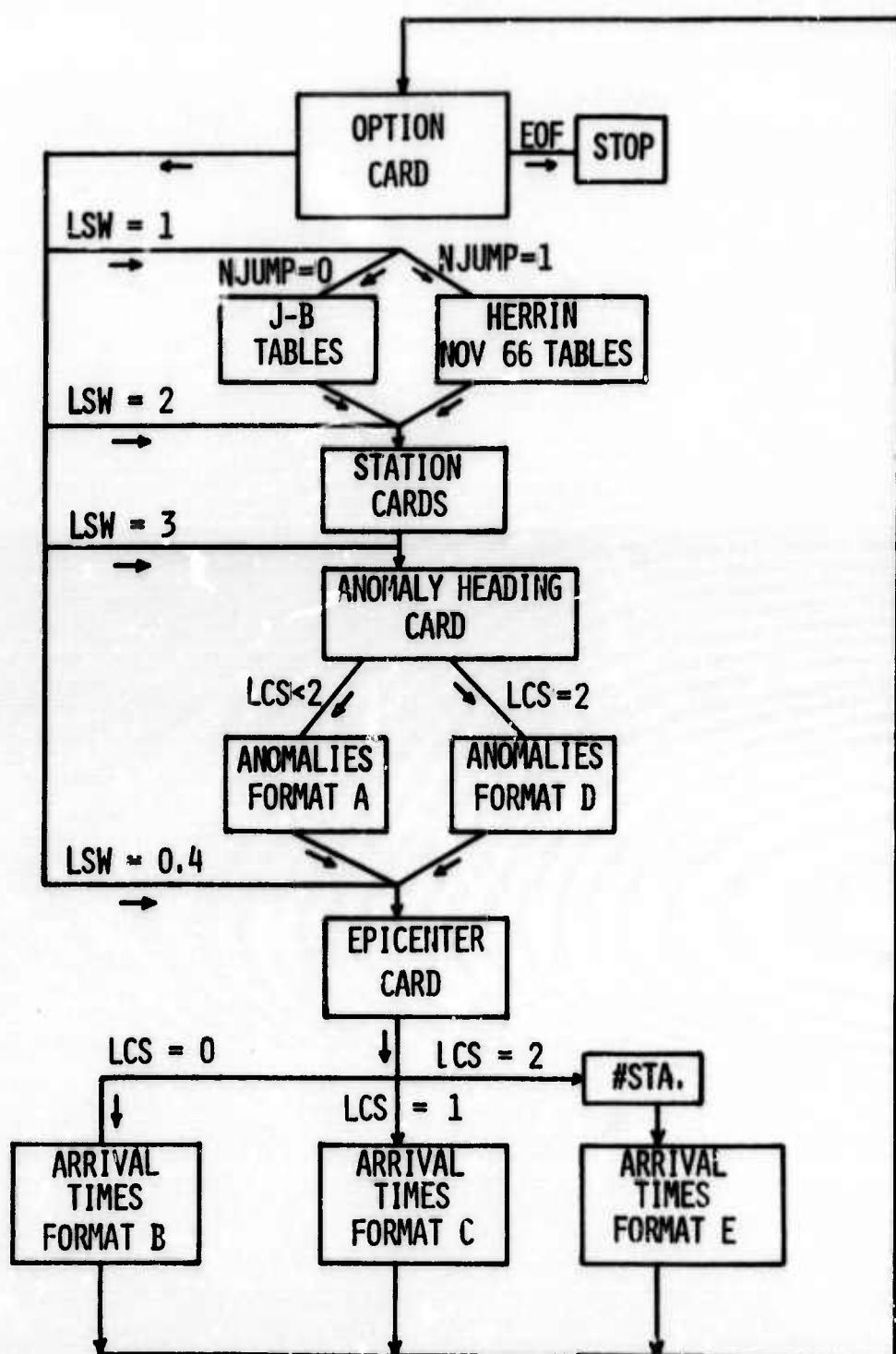


Figure A-1

## INPUT CARD FORMATS AND PARAMETERS

### OPTION CARD - FORMAT (7I2,4F5.0, 4I3)

NATS = Number of stations and anomalies in entire run of several cases. (Maximum of 50)

= 0: set to 21 internally

LSW = 1: Read input data beginning with travel-time table (See Figure A).

= 2: Read input data beginning with station deck.

= 3: Read input data beginning with anomaly-heading card.

= 0 or 4: Read input data beginning with epicenter card.

NJUMP = 0: Read J-B table (Tape 940, SDL)

= 1: Read Herrin 66 table (Tape 940, SDL).

LSC = 0: Read anomalies in Format A, arrival times in Format B.

= 1: Read anomalies in Format A, arrival times in Format C.

= 2: Read anomalies in Format D, arrival times in Format E.

IJK = 0: No SIGRID computation

≠ 0: Compute SIGRID

ISKIP = 0: Program locates epicenter

≠ 0: Program does not locate epicenter; computes SIGRID (if IJK ≠ 0) using input location coordinates.

NOUT = Flag requesting maximum-relative-error station subscripts in SIGRID

= 0: Do not print subscript matrix.

\* 0: Print subscript matrix.  
 CT = Distance increment for computing time derivatives  
 = 0: Set to  $0.01^\circ$  arc internally.  
 SLOW = Factor to reduce the size of the iterative corrections  
 to the event parameters  
 = 0: Set to 1 internally.  
 TEST = Incremental distance criterion for convergence  
 = 0: Set to 0.0001 internally.  
 CLAT = Grid increment, kilometers, for SIGRID computation  
 = 0: Set to 1.0 internally.  
 NCOL = Number of columns from SIGRID output grid  
 = 0: Set to 30 (maximum) internally.  
 KKEND = Number of lines from SIGRID output grid  
 = 0: Set to 30 (maximum of 100) internally.  
 ITER = Number of iterations allowed for location convergence  
 = 0: Set to 10 internally.  
 IMK = 0: Use input arrival times in SIGRID  
 \* 0: Use predicted arrival times to grid center  
 in SIGRID.

STATION CARDS - FORMAT (A5, 3X, 2(FS.0, F3.0, F5.1, A1), 24X, F5.0)

<u>Column</u>	<u>Parameter</u>
1-5	Station name
9-13	Station latitude, degrees
14-16	Station latitude, minutes
17-21	Station latitude, seconds
22	N or S
23-27	Station longitude, degrees
28-30	Station longitude, minutes
31-35	Station longitude, seconds
36	E or W
61-65	Station elevation, meters (not necessary)

ANOMALY-HEADING CARD - FORMAT (10A8)

Description of anomalies, region name, etc. May be blank card.

ANOMALY CARDS

Format A (8F10.4)

Format D (10X, F10.3)

Anomalies must be punched in same order as the station cards and equal to the number of stations. May be blank cards if unknown.

EPICENTER CARD - Format (2A8, A4, 2(F9.3, A1), F5.0)

<u>Column</u>	<u>Parameter</u>
1-20	Arbitrary name of event
21-29	Estimated latitude, decimal degrees
30	N or S
31-39	Estimated longitude, decimal degrees
40	E or W
41-45	Estimated depth, kilometers

ARRIVAL-TIME CARDS - (Zero input arrival time indicates no reading for that station)

FORMAT B (8(2F2.0,F6.3))

<u>Column</u>	<u>Parameter</u>
1-2	Arrival hour, station 1
3-4	Arrival minute, station 1
5-10	Arrival second, station 1
11-12	Arrival hour, station 2
13-14	Arrival minute, station 2
15-20	Arrival second, station 2

Repeat, eight/card, until no. of times = no. of stations

FORMAT C (7F10.4)

Fields of 10, seven/card. Arrival time in seconds only.

FORMAT E (A5, 5X, 2F2.0, F6.3)

If this format is used, one card, Format (I5), indicating number of arrival times to be input, is required prior to time cards which follows:

<u>Column</u>	<u>Parameter</u>
1-5	Station name
11-12	Arrival time, hour
13-14	Arrival time, minute
15-20	Arrival time, second

With this format, one card/station with an arrival time is required.

## APPENDIX II

### Description of TIMEANOM Output.

The following description explains the presentation of the results in the computer output of the TIMEANOM with these reference numbers appearing in Table VIII.

1. Source of expected travel times. For Table VIII, the Herrin table, November 1966 version, is used; for Table IX, the JB table; for Table X, the Herrin 61 table.
2. Reference station, R, selected for computing relative anomalies. In this report, all anomalies are relative to station RK-ON. The following relation may be used to change reference stations;
3. All expected travel-times in this report have been corrected for the ellipticity of the earth such that the computed anomalies may be used in conjunction with other programs requiring these corrections.
4. An arbitrary geographic name given to the event region.
5. Range of epicentral distance in the event region.
6. Range of epicentral azimuth in the event region.
7. Date and arbitrary name given to each event.
8. Epicentral distance, in kilometers, from the reference station, R.
9. Epicentral azimuth, in degrees measured from north to east, from the reference station, R.
10. Station designator, i.

11. Measured travel-time anomaly in seconds, at station i relative to station R for the kth event;

$$A_{i/r}^k = T_i^k - T_r^k - H_i^k + H_r^k$$

where T is the observed arrival time and H is the expected (Herrin 1966) travel time from the hypocenter of the kth event including correction for ellipticities but not for station elevations.

12. A fixed-point zero anomaly indicates that no reading was made at the station for that event.

13. The average anomaly at station i of N recorded events;

$$\bar{A}_{i/r} = \left( \sum_{k=1}^N A_{i/r}^k \right) / N$$

for the defined region.

14. Standard deviation, or error of estimate, at the ith station for N observations:

$$\sigma_i = \left\{ \left[ \sum_{k=1}^N (A_{i/r}^k - \bar{A}_{i/r})^2 \right] / (N-1) \right\}^{1/2}$$

for the defined region.

15. Number of observations, N, at station i for the defined region.

16. Total number of epicenters included in the defined region.

17. Epicenter latitude, degrees (USCGS); plus north, minus south.

18. Epicenter longitude, degrees (USCGS); plus east; minus west.

19. Event depth, kilometers (USCGS).

20. Event origin time, hours, minutes, seconds (USCGS).

21. Standard deviation, or error of estimate, of the kth

event in the defined region;

$$\sigma_k = \left\{ \left[ \sum_{i=1}^L (A_{i/r}^k - \bar{A}_{i/r})^2 \right] / (L-1) \right\}^{1/2}$$

where L is the number of stations recording the kth event not including the reference station R.

22. Average error, or bias, of the kth event;

$$E_k = \frac{1}{L} \sum_{i=1}^L (A_{i/r}^k - \bar{A}_{i/r}) / L$$

where L is the number of stations recording the kth event not including the reference station R.

23. Standard deviation of the kth event in the defined region, with the reference-station bias  $E_k$  removed:

$$\sigma'_k = \left\{ \left[ \sum_{i=1}^L (A_{i/r}^k - E_k - \bar{A}_{i/r})^2 \right] / (L-1) \right\}^{1/2}$$

24. Number of stations, L, recording the kth event, not including the reference station R.

The program TIMEANOM permits a rapid determination of travel-time anomalies for a network and for a set of events within a region, and it can be used to isolate spurious readings or blunders at the stations or, for earthquakes, possible mislocations.

Unclassified

Security Classification

DOCUMENT CONTROL DATA - R&D

(Security classification of title, body of abstract and indexing annotation must be entered when the overall report is classified)

1. ORIGINATING ACTIVITY (Corporate author)

TELEDYNE, INC.  
ALEXANDRIA, VIRGINIA

2a. REPORT SECURITY CLASSIFICATION

Unclassified

2b. GROUP

3. REPORT TITLE

PRECISION LOCATION OF UNDERGROUND NUCLEAR EXPLOSIONS USING  
TELESEISMIC NETWORKS AND PREDETERMINED TRAVEL-TIME ANOMALIES

4. DESCRIPTIVE NOTES (Type of report and inclusive dates)

Scientific

5. AUTHOR(S) (Last name, first name, initial)

Chiburis, E.F.

6. REPORT DATE

1 March 1968

7a. TOTAL NO. OF PAGES

50

7b. NO. OF REPS

5

8a. CONTRACT OR GRANT NO.

F 33657-67-C-1313

8c. ORIGINATOR'S REPORT NUMBER(S)

214

8b. PROJECT NO.

VELA T/6702

9b. OTHER REPORT NO(S) (Any other numbers that may be assigned  
to this report)

9c. ARPA Order No. 624

9d. ARPA Program Code No. 5810

10. AVAILABILITY/LIMITATION NOTICES

This document is subject to special export controls and each transmittal to foreign governments or foreign nationals may be made only with prior approval of Chief, AFTAC.

11. SUPPLEMENTARY NOTES

12. SPONSORING MILITARY ACTIVITY

ADVANCED RESEARCH PROJECTS AGENCY  
NUCLEAR TEST DETECTION OFFICE  
WASHINGTON, D. C.

13. ABSTRACT

Using a series of 19 explosions detonated within a  $2500 \text{ km}^2$  area of the Nevada Test Site, the effectiveness is demonstrated of applying predetermined travel-time anomalies to a limited network of teleseismic stations (comprised of between 4 and 13 stations greater than 1900 km distance). Three different travel-time tables were used: Jeffrey-Bullen; Herrin, 1961 version; and Herrin, November 1966 version; and two different computer programs: LOCATE and SHIFT, the former which minimizes the sum of squares of residuals and the latter which minimizes the sum of squares of relative residuals. The mean location error obtained without time anomalies is about 26 km, and with anomalies is less than 3 km, regardless of travel-time table and regardless of program.

It is further demonstrated that neither the number of stations nor the distance aperture of the network has an effect on the location error, although the azimuth aperture does.

Confidence estimates are made in three ways: the standard confidence ellipses; maximum-relative-error polygons; and standard-deviation contours about the final solution. It is shown that by applying travel-time anomalies, the standard confidence ellipses can be reduced in area by factors of 1/5 to 1/152 and still contain the true epicenter.

A discussion is given of the stability of travel-time anomalies across the Nevada Test Site area, and of some problems involved in determining useable anomalies from earthquakes.

14. KEY WORDS

Unclassified

Security Classification